

# Probing effects from QCD color with $\gamma$ -h $^\pm$ /jet and dihadron/jet correlations

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U.S. DEPARTMENT OF  
**ENERGY**

Office of  
Science

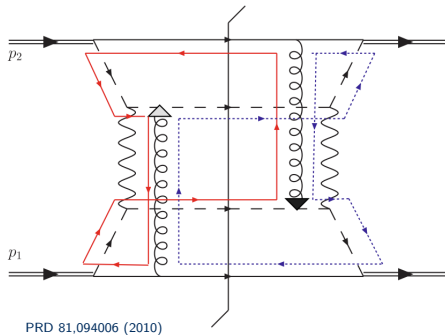


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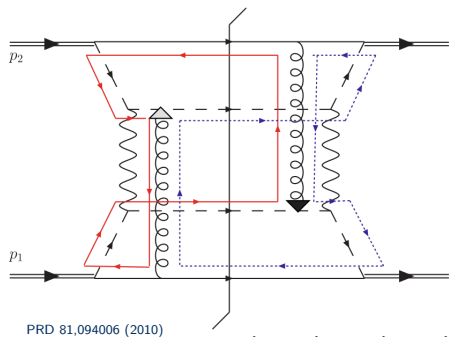
- QCD is a non-Abelian quantum field theory
- Fermions and bosons in QCD have color charge
- Color has always been an integral part of the theory
- However the last several decades have illuminated some of the specific consequences that color can have within QCD!

# Example 1: Color Entanglement



- Example: color entanglement
- When explicitly considering the transverse motion of partons in a nucleon, color entanglement predicted

## Example 1: Color Entanglement



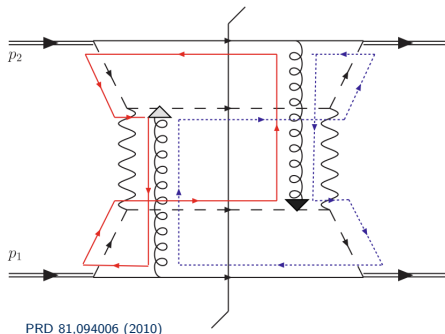
- Example: color entanglement
- When explicitly considering the transverse motion of partons in a nucleon, color entanglement predicted
- Corresponds to break down of factorization in a transverse-momentum-dependent (TMD) framework

$$\sigma = f_1(x, k_T) \otimes f_2(x, k_T) \otimes \frac{d\hat{\sigma}}{dt} \otimes D_1(z, j_t) \otimes D_2(z, j_T)$$

↓

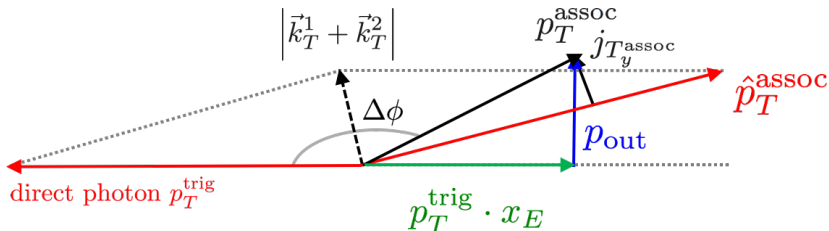
$$\sigma \stackrel{?}{=} CF(x_1, x_2, k_{T_1}, k_{T_2}, z_1, z_2, j_{T_1}, j_{T_2}) \otimes \frac{d\hat{\sigma}}{dt}$$

## Example 1: Color Entanglement



- Example: color entanglement
- When explicitly considering the transverse motion of partons in a nucleon, color entanglement predicted
- Corresponds to break down of factorization in a transverse-momentum-dependent (TMD) framework
- Specifically a non-Abelian effect

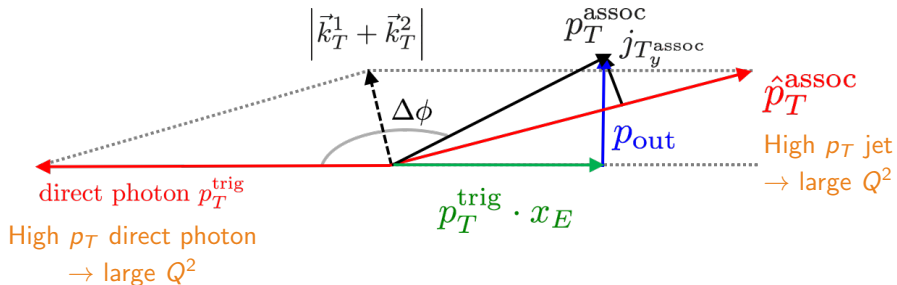
# Observables To Probe Entanglement



- To probe transverse-momentum-dependent physics, an observable must be sensitive to two scales:  $\Lambda_{\text{QCD}} \lesssim k_T \ll Q$

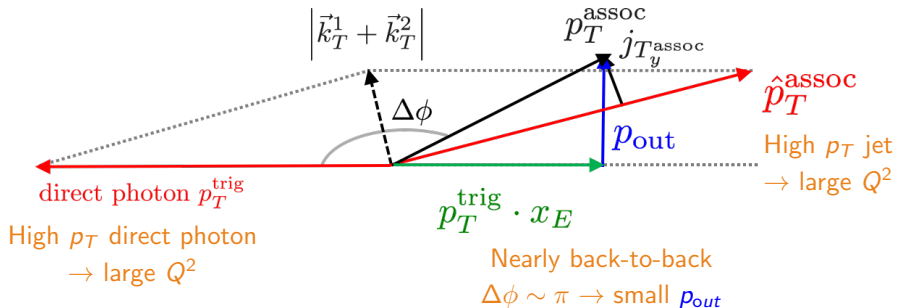


# Observables To Probe Entanglement



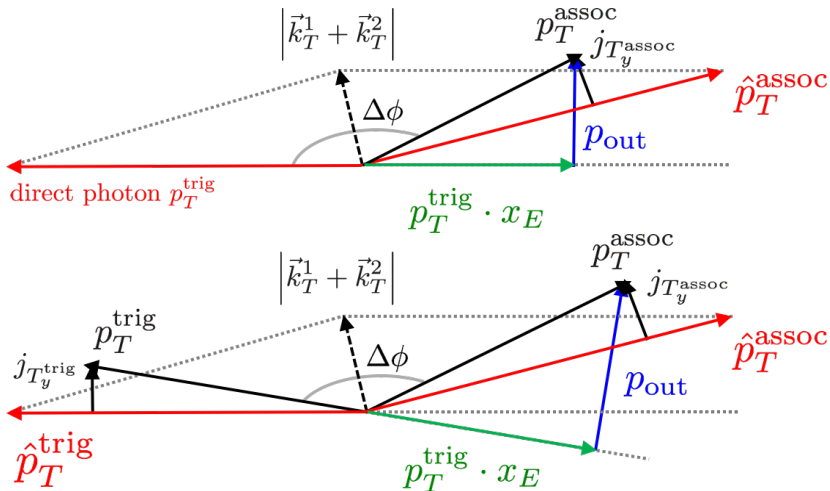
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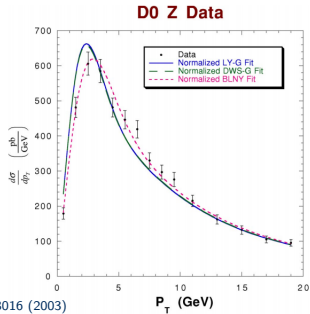
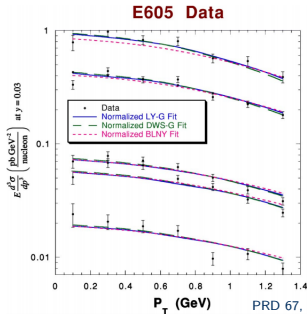
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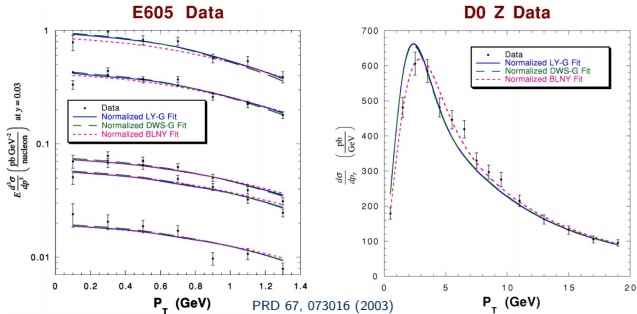
# Collins-Soper-Sterman (CSS) Evolution with $Q^2$

- CSS evolution first published in 1985. Similar to DGLAP evolution equation, but includes small transverse momentum scale
- Has been used to successfully describe global Drell-Yan and Tevatron  $Z^0$  cross sections



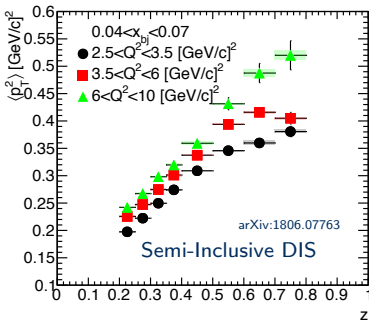
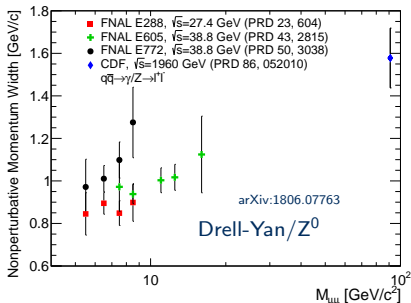
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- Has been used to successfully describe global Drell-Yan and Tevatron  $Z^0$  cross sections
- Clear qualitative prediction - momentum widths sensitive to nonperturbative transverse momentum increase with increasing hard scale
- Due to increased phase space for gluon radiation



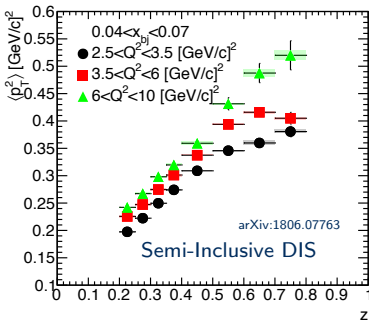
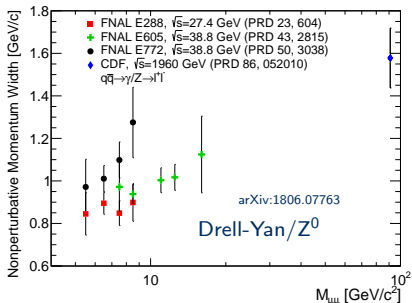
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- Phenomenological studies confirm that Drell-Yan and semi-inclusive DIS follow theoretical prediction



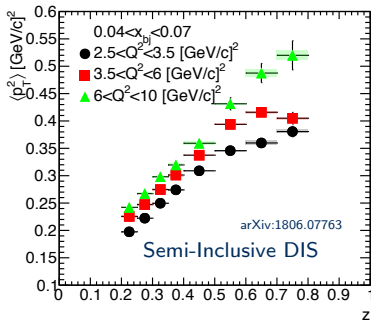
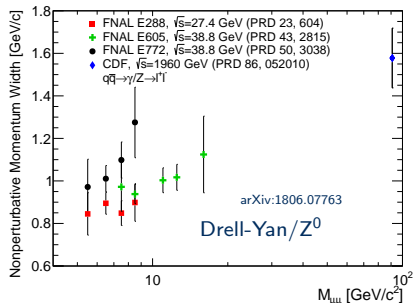
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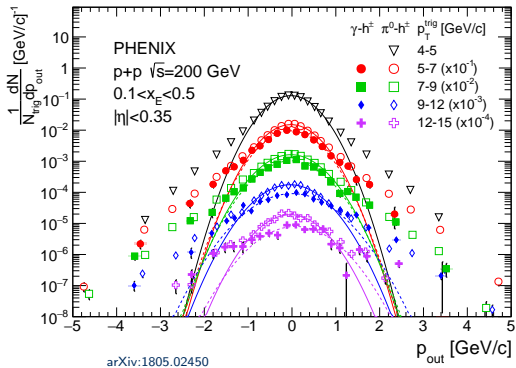
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- The evolution prediction comes directly out of the derivation for transverse-momentum-dependent (TMD) factorization
  - If TMD factorization, then CSS evolution. If not CSS evolution, then not TMD factorization!

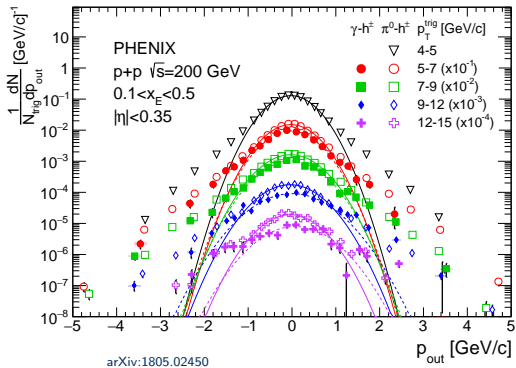




# Measurements of $p_{out}$ Distributions in $p+p \rightarrow$ hadrons

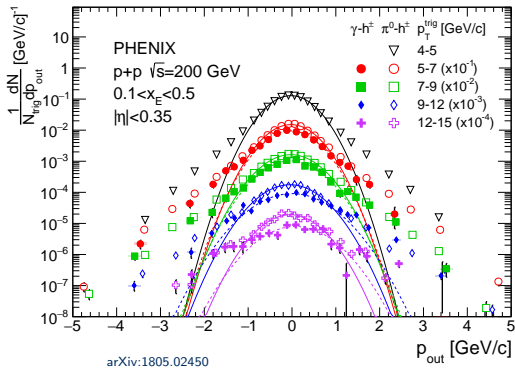


# Measurements of $p_{out}$ Distributions in $p+p \rightarrow$ hadrons



- Two distinct regions:
  - Gaussian at small  $p_{out}$
  - Power law at large  $p_{out}$

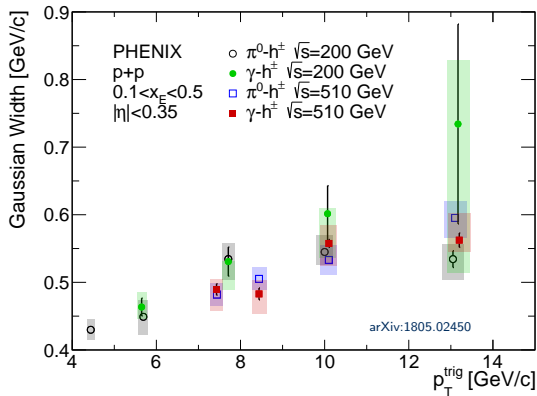
# Measurements of $p_{out}$ Distributions in $p+p \rightarrow$ hadrons



- Two distinct regions:
  - Gaussian at small  $p_{out}$
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- Indicates TMD observable -  $\Lambda_{QCD} \lesssim p_{out} \ll p_T^{\text{trig}}$
- Can characterize any potential color effects by studying width evolution

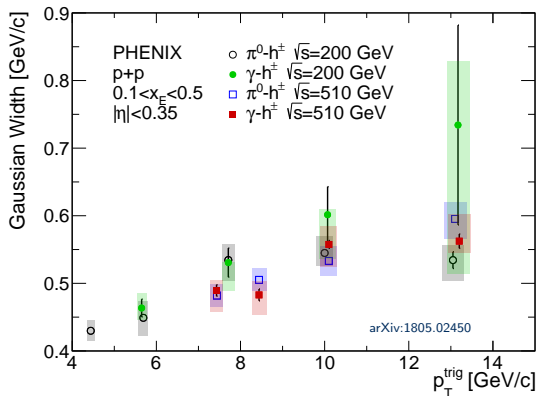
# Gaussian Width of $p_{out}$ Evolution in $p+p \rightarrow$ hadrons

- Away-side Gaussian widths shown as a function of  $p_T^{\text{trig}}$  at  $\sqrt{s} = 200$  and 510 GeV



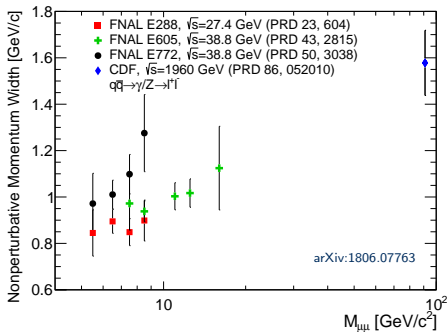
# Gaussian Width of $p_{out}$ Evolution in $p+p \rightarrow$ hadrons

- Away-side Gaussian widths shown as a function of  $p_T^{\text{trig}}$  at  $\sqrt{s} = 200$  and 510 GeV
- Qualitatively similar behavior to Drell-Yan and semi-inclusive DIS interactions where **color** entanglement is not predicted

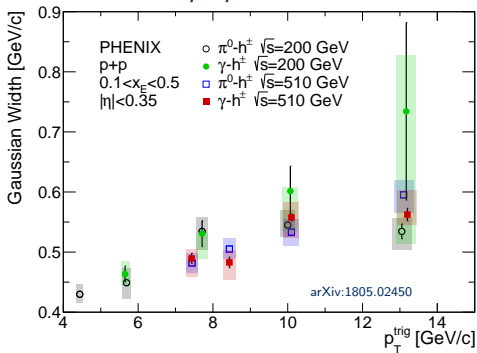


# Comparing Drell-Yan and $p+p \rightarrow \text{hadrons}$

## Drell-Yan

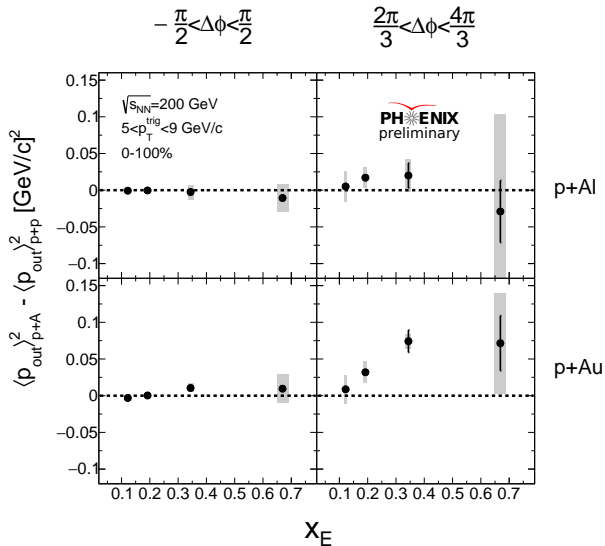


## $p+p \rightarrow \text{hadrons}$



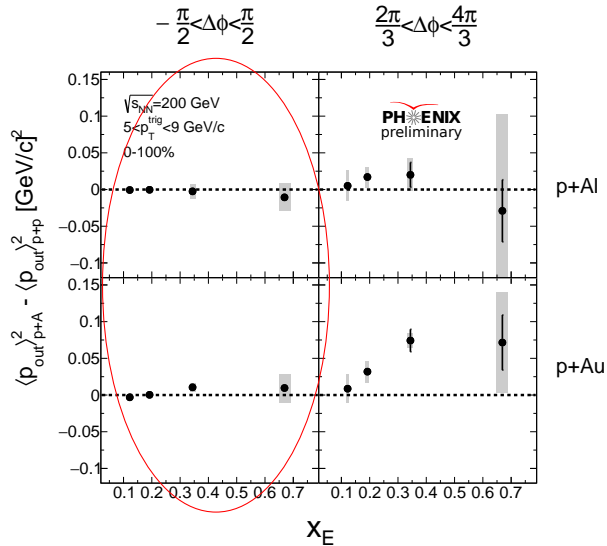
- Since qualitative behavior is similar, calculations needed to compare transverse-momentum-dependent evolution rates in different processes
- Drell-Yan (no color entanglement predicted) and  $p+p \rightarrow \text{hadrons}$  (color entanglement predicted) may exhibit different magnitudes, evolution rates, etc.

# Extending Color Studies to $p+A$



- Can also extend Gaussian width studies to compare between  $p+A$  and  $p+p$

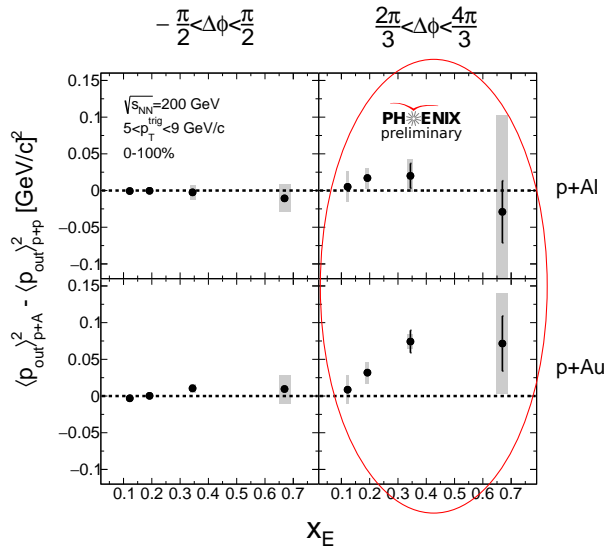
# Nonperturbative Transverse Momentum Broadening in $p+A$



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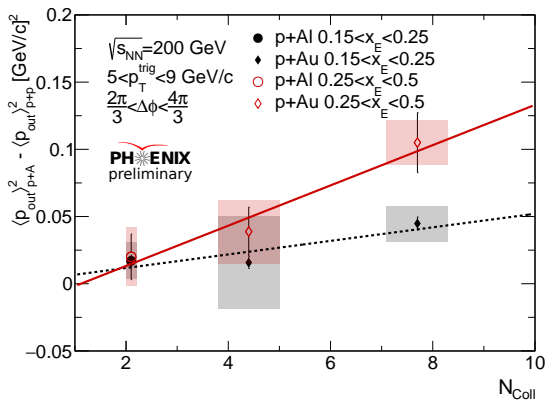


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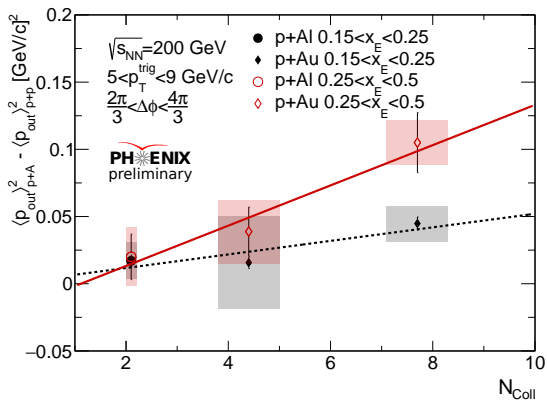
- Can also extend Gaussian width studies to compare between  $p+A$  and  $p+p$
- No significant near-side transverse momentum broadening
- Nonzero away-side nonperturbative transverse momentum broadening in  $p+A$

# Broadening as a Function of $N_{coll}$



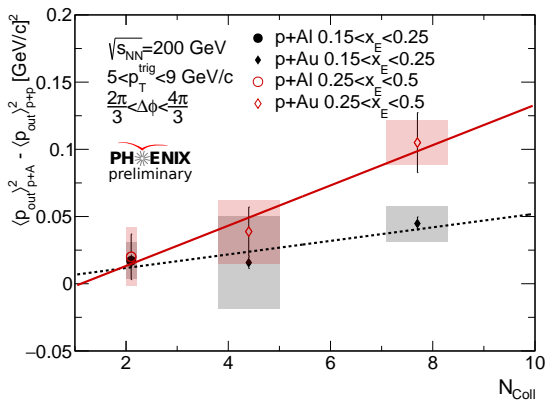
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- Physical effects that contribute?
  - Stronger color fields in nucleus?

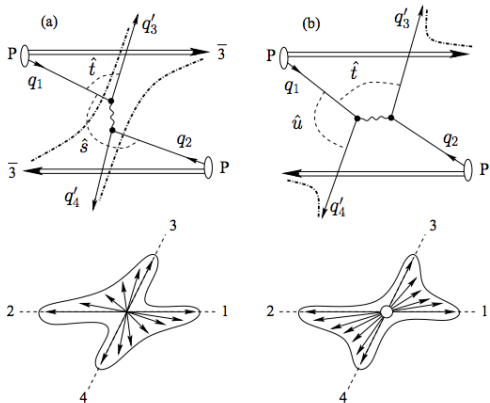
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- Away-side transverse momentum broadening is clearly a function of  $N_{coll}$  for two  $x_E$  bins
- Physical effects that contribute?
  - Stronger color fields in nucleus?
  - Additional initial-state  $k_T$  in nucleus?
  - Energy loss?
  - Physical effects behind “Cronin” mechanisms?

## Example 2: Color Coherence

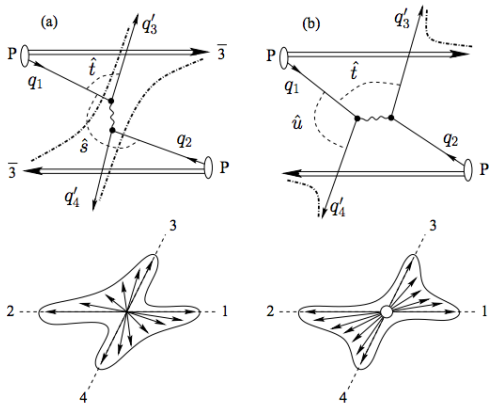
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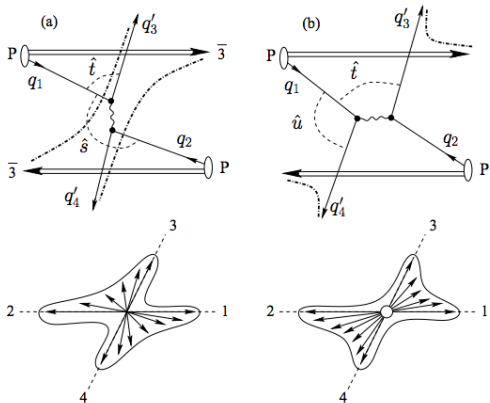
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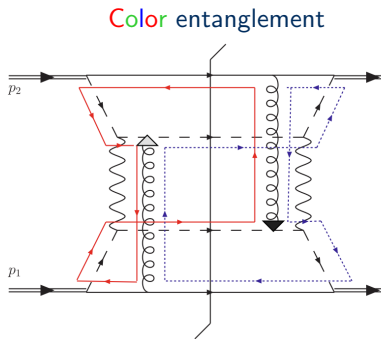
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- Color connects hard scattered partons with remnants of other proton



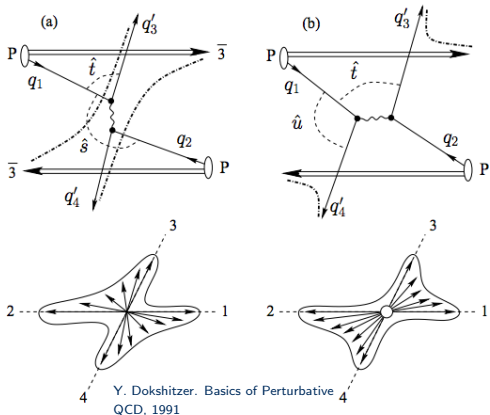
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## Example 2: Color Coherence



PRD 81, 094006 (2010)

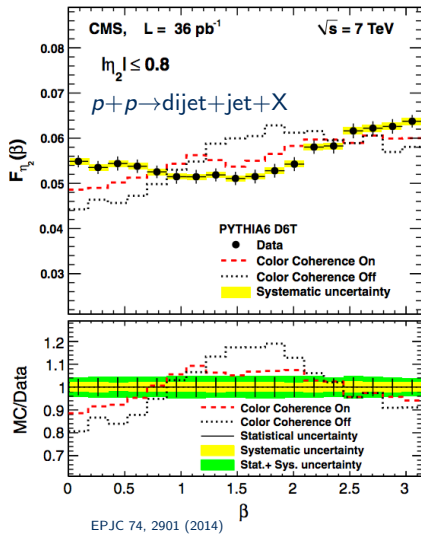
Color coherence



- The same underlying QCD phenomena at play - color leads to nonperturbative consequences

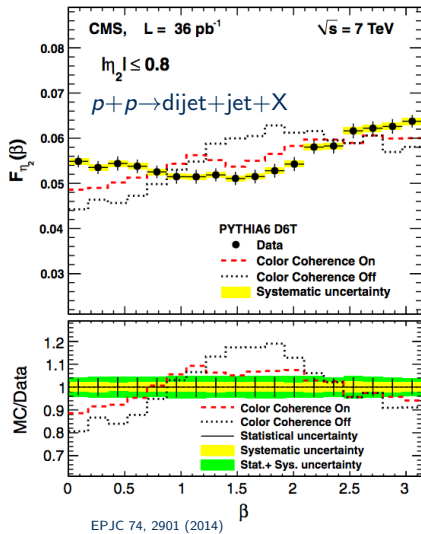


# Color Coherence Measurements



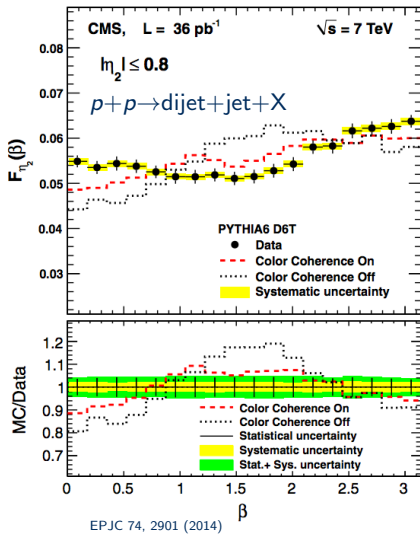
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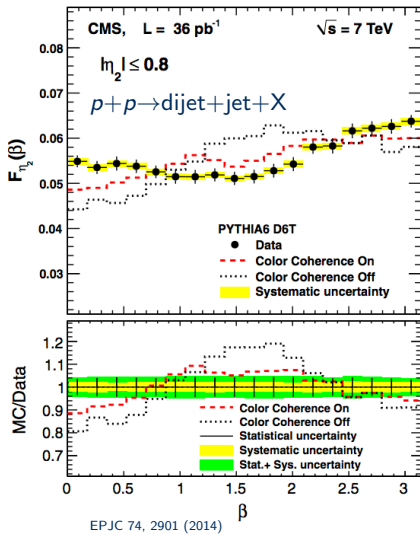
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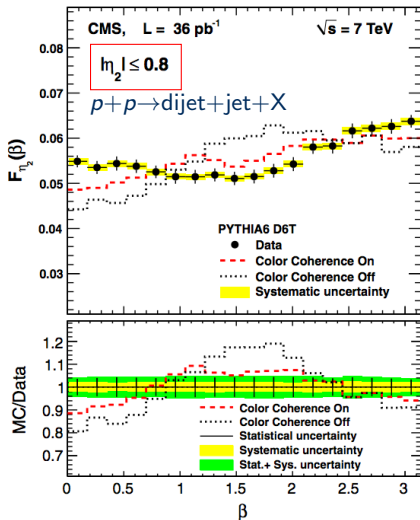
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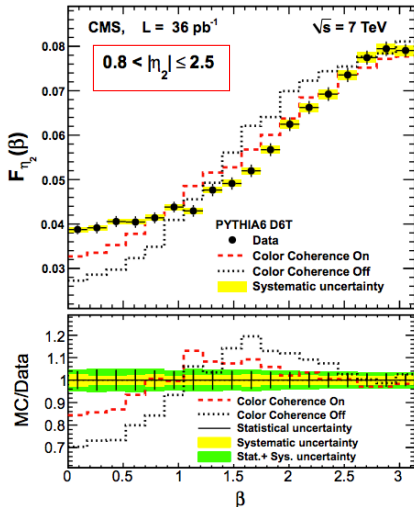


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- $\beta = \pi$  points to the beam farther from sub-leading jet in  $(\phi, \eta)$  space
- Third jet more likely to be found at  $\beta = 0, \beta = \pi$ , i.e. similar  $\phi$  but large  $\eta$  gap

# Color Coherence Measurements



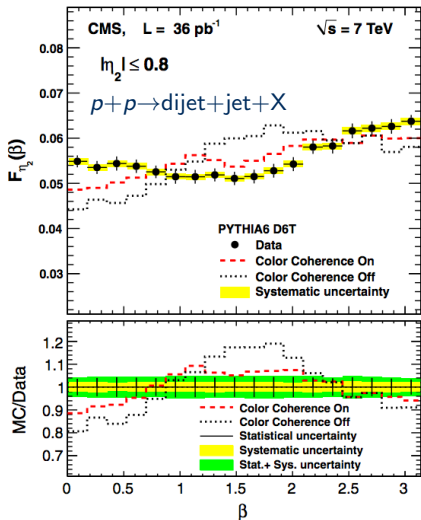
EPJC 74, 2901 (2014)



Nucl. Phys. B 918, 257 (2017)

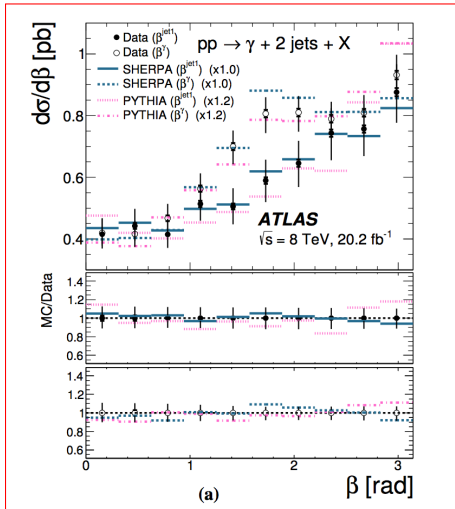
- Even stronger correlation to opposite beam at forward rapidities!

# Color Coherence Measurements



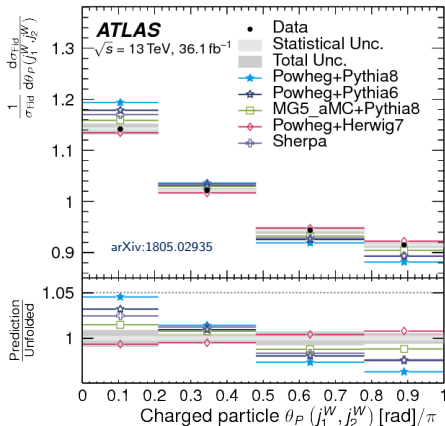
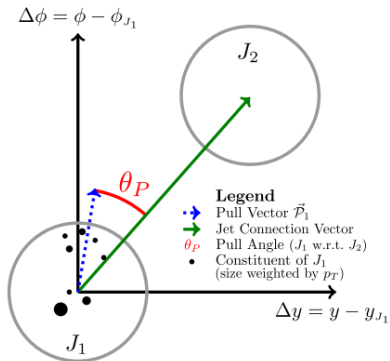
EPJC 74, 2901 (2014)

- Even stronger correlation to opposite beam when using  $\gamma$ -jet!



Nucl. Phys. B 918, 257 (2017)

## Example 3: Jet Substructure



- Jet pull angle preferentially  $\sim 0 \rightarrow$  color connections
- Color affects radiation patterns within jets

**What is the relation to jet backgrounds??**



# The Role of Color in Jet Observables

- Color has been shown to modify e.g. event and/or jet topologies in a variety of ways
- Therefore, it may be essential to consider these effects when studying new observables!

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# The Role of Color in Jet Observables

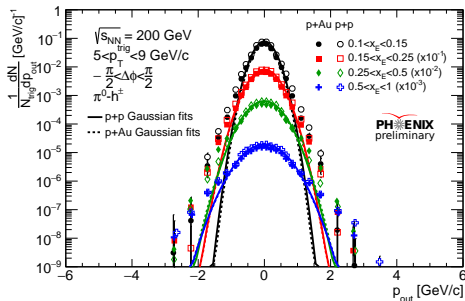
- Color has been shown to modify e.g. event and/or jet topologies in a variety of ways
- Therefore, it may be essential to consider these effects when studying new observables!
- This may be especially important for jet substructure studies, observables which are sensitive to global event characteristics, multiscale problems...
- It is also especially important for interpretation of future EIC data, where complex color flows may be more difficult to study due to differences in  $\ell + p(A) \rightarrow \ell + h + X$  vs.  $p+p(A) \rightarrow h/jet + X$

**“Backgrounds” in jet observables can actually  
carry important information about  
fundamental aspects of QCD!**

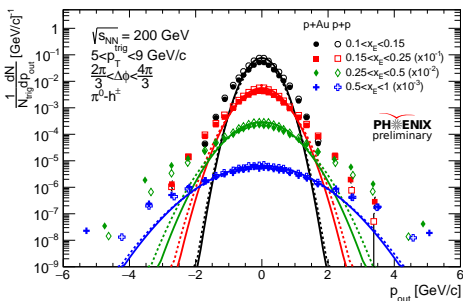
**Back Up**

# Extending Color Studies to $p+A$

- Dihadrons give additional QCD interactions in  $p+A$  collisions compared to direct photon-hadrons
- Measure the  $p_{out}$  distributions on both the near-side and away-side in  $p+p$  and  $p+A$  to compare



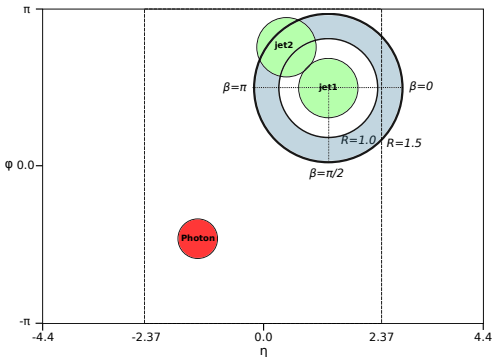
Joe Osborn (UM) Near-side



Far-side

# Color Coherence Measurements

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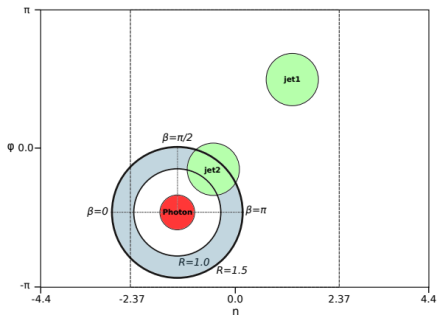


- Color coherence measurements study:

$$\beta = \tan^{-1} \frac{\Delta\phi_{21}}{\text{sign}(\eta_1)\Delta\eta_{21}}$$

- Angle in  $(\phi, \eta)$  space between sub-leading hard-scattered jet and gluon initiated jet
- $\beta = 0$  points to the beam closer to jet 1 in  $(\phi, \eta)$  space
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## $\beta_\gamma$ Definition

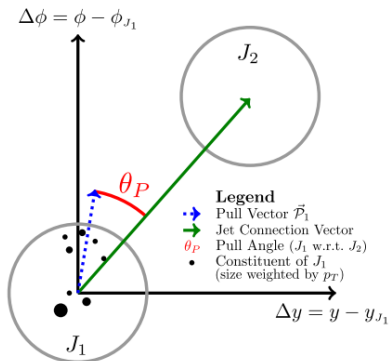


- ATLAS collaboration also measures  $\beta_\gamma$ , defined in a similar way to  $\beta_{jet}$

$$\beta_\gamma = \tan^{-1} \frac{|\phi^{jet2} - \phi^\gamma|}{\text{sign}(\eta^\gamma) \cdot (\eta^{jet2} - \eta^\gamma)}$$



## Example 3: Jet Substructure



Jet-pull vector predicted to be sensitive to color connections (PRL 105, 022001 (2010))

$$\vec{P}(j) = \sum_{i \in j} \frac{|\vec{\Delta r}_i| \cdot p_T^i}{p_T^j} \vec{\Delta r}_i$$

- Absence of color connection -  $\theta_p$  expected to be distributed uniformly
- Color connection -  $\theta_p$  expected to preferentially lie along jet connection vector  $\theta_p \sim 0$

# $t\bar{t}$ Color Topology

- Example  $t\bar{t}$  color topology
- $t\bar{t}$  are color connected via gluon splitting
- Hadronizing quarks from  $W$  decays can also be color connected

