

# Effects from QCD color flow in proton-proton and proton-nucleus collisions

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Joe Osborn

University of Michigan

September 14, 2018



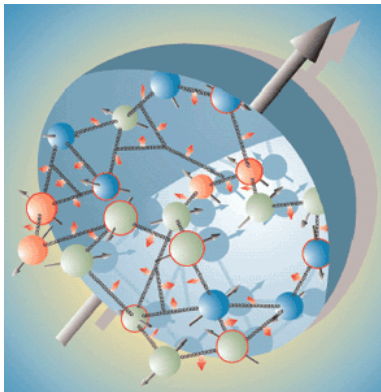
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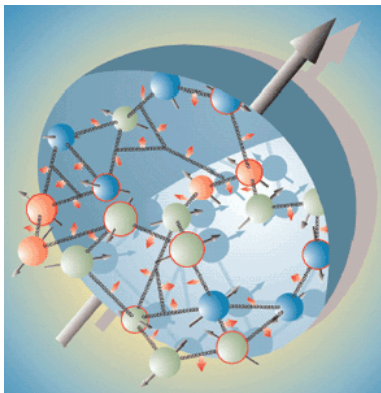
# Quantum Chromodynamics

- QCD is the fundamental gauge theory describing the strong force
- Written in terms of quark and gluon (parton) degrees of freedom



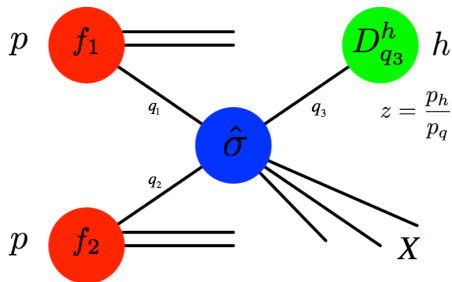
# Quantum Chromodynamics

- QCD is the fundamental gauge theory describing the strong force
- Written in terms of quark and gluon (parton) degrees of freedom
- But we can only directly observe combinations of partons in the laboratory!
- Confinement and the non-Abelian nature of QCD: gluon self coupling and color charge



# QCD Cross Sections

- To account for bound state nature of hadrons, cross sections are factorized
- Nonperturbative parton distribution and fragmentation functions (PDFs and FFs) are used to describe the individual partons within a hadron

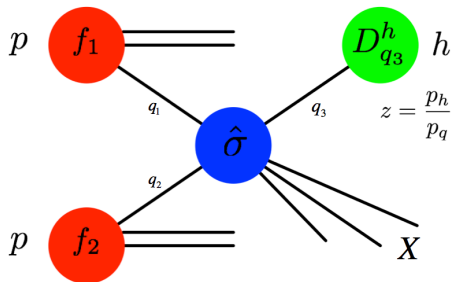


$$\sigma = f_1(x, Q^2) \otimes f_2(x, Q^2) \otimes \frac{d\hat{\sigma}}{dt} \otimes D_q^h(z, Q^2)$$

$$x = \frac{p_{\text{parton}}}{p_{\text{proton}}}$$

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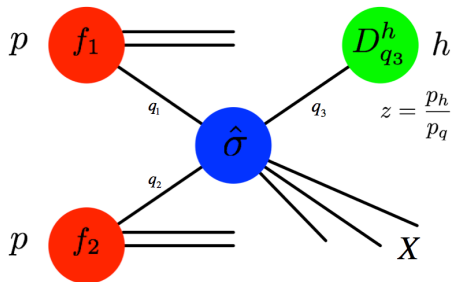


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- Taken to be process independent and uncorrelated

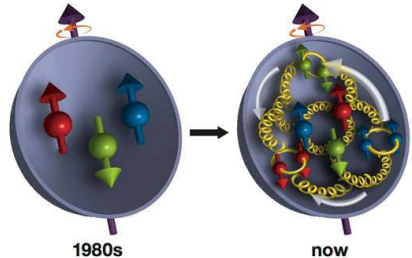


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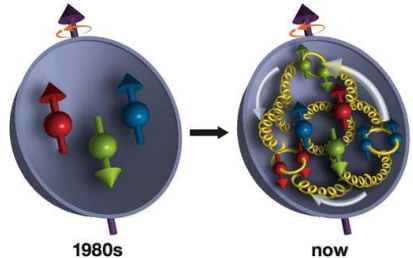
# The Proton Multidimensionally

- Historically, the structure of the proton has been approximated as only dependent on the collinear momentum fraction  $x$
- The last two decades have seen QCD move from a static to dynamic picture of the proton



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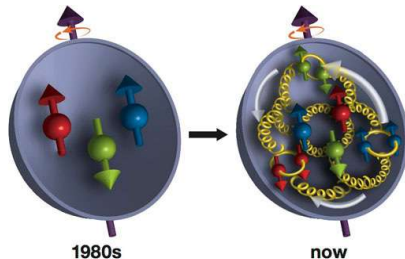


- What does the proton look like in terms of the quarks and gluons inside of it?



# The Proton Multidimensionally

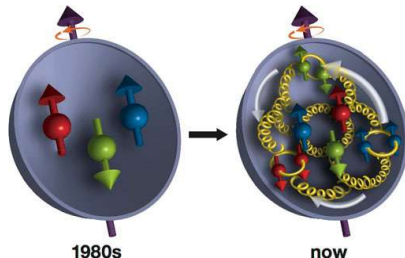
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  - Position (2D)
  - Spin
  - Flavor
  - Momentum (3D)
  - Color (!)

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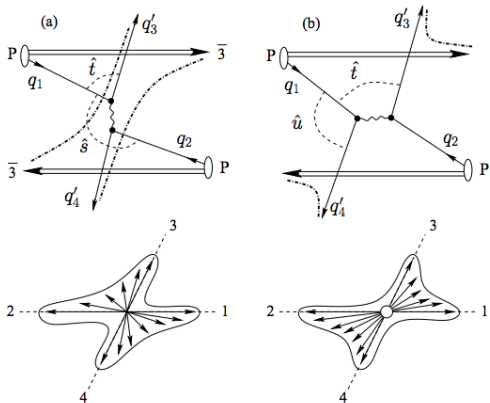
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# Color Coherence

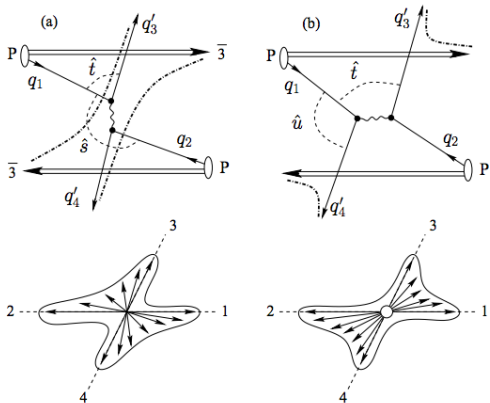
- Color flow through hard processes leads to certain regions of particle production in hadronic collisions



Y. Dokshitzer. Basics of Perturbative QCD, 1991

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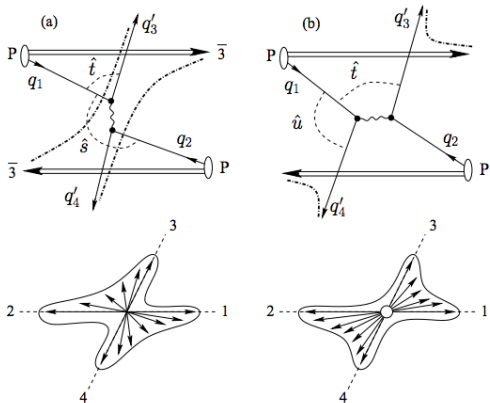
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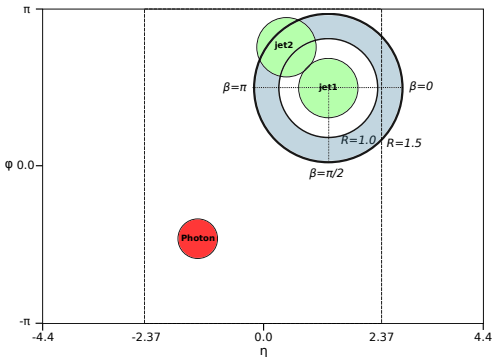
- **Color** flow through hard processes leads to certain regions of particle production in hadronic collisions
- **Color** connects hard scattered partons with remnants of other proton
- **Color** connections lead to destructive gluon interferences  $\rightarrow$  depletions in hadron production



Y. Dokshitzer. Basics of Perturbative QCD, 1991

# Color Coherence Measurements

Nucl. Phys. B 918, 257 (2017)



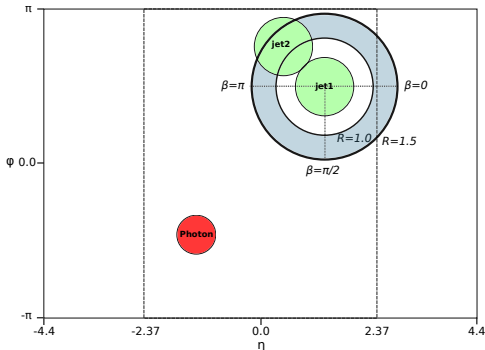
- Color coherence measurements study:

$$\beta = \tan^{-1} \frac{\Delta\phi_{21}}{\text{sign}(\eta_1)\Delta\eta_{21}}$$

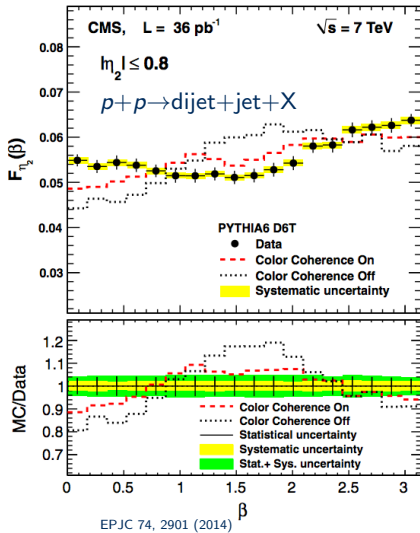
- Angle in  $(\eta, \phi)$  space between sub-leading hard-scattered jet and gluon initiated jet
- $\beta = 0$  points to the beam closer to jet 1 in  $(\eta, \phi)$  space
- $\beta = \pi$  points to the beam farther from jet 1 in  $(\eta, \phi)$  space

# Color Coherence Measurements

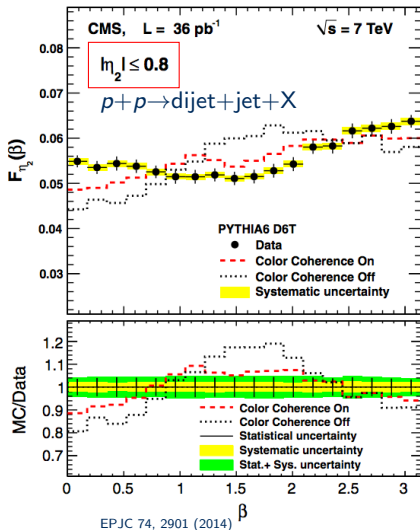
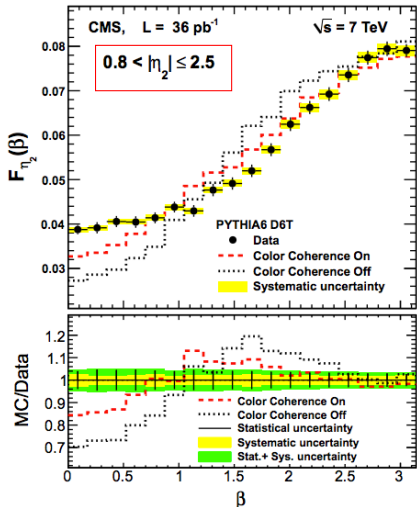
Nucl. Phys. B 918, 257 (2017)



- Third jet more likely to be found at  $\beta = 0$ ,  $\beta = \pi$ , i.e. similar  $\phi$  but large  $\eta$  gap (remnant activity high!)



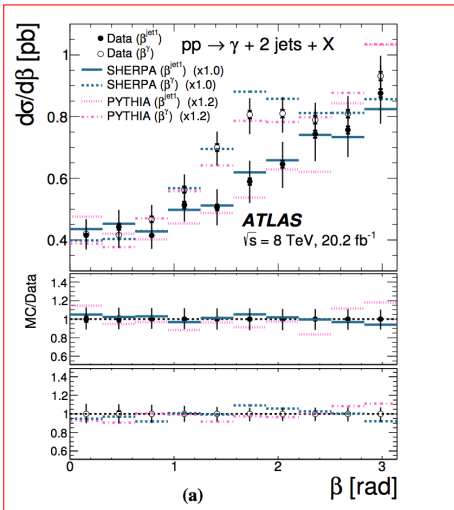
# Color Coherence Measurements



- Even stronger correlation to opposite beam at forward rapidities!

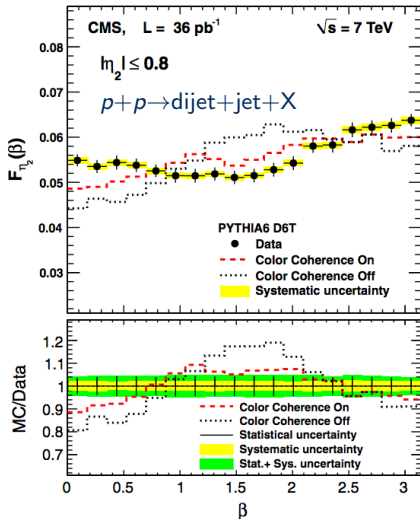


# Color Coherence Measurements



Nucl. Phys. B 918, 257 (2017)

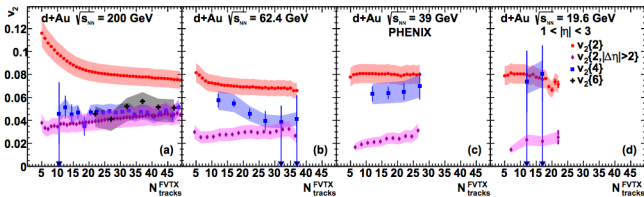
- Even stronger correlation to opposite beam when using  $\gamma$ -jet!



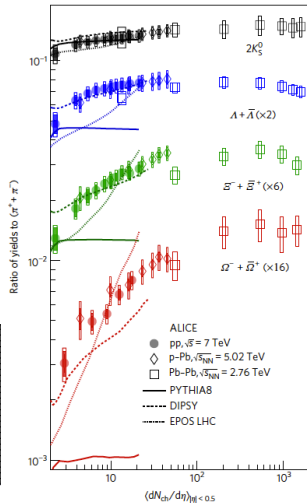
EPJC 74, 2901 (2014)

# Relation to High Multiplicity?

- Surprising results from RHIC and LHC show novel phenomena in high multiplicity  $p+p$  and  $p+A$
- What role does color play in these measurements?
- Color coherence measurements also probing (parton) long range  $\eta$  correlations

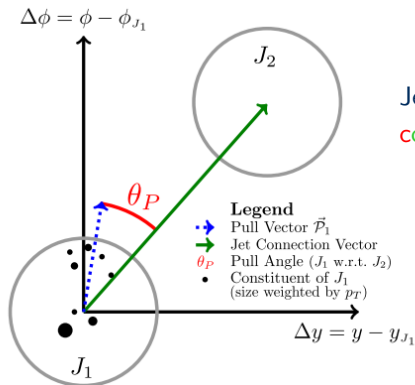


PRL 120, 062302 (2018)



Nature Phys. 13  
(2017) 535-539

# Jet Substructure

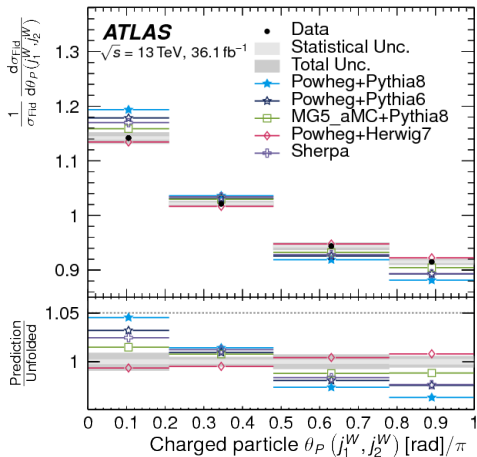
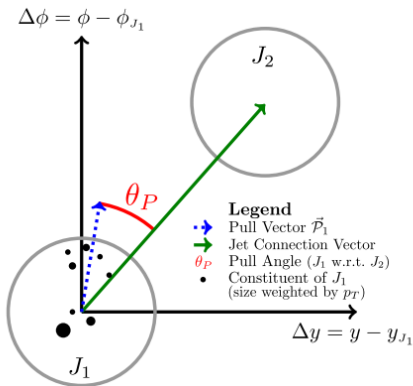


Jet-pull vector predicted to be sensitive to **color** connections (PRL 105, 022001 (2010))

$$\vec{P}(j) = \sum_{i \in j} \frac{|\vec{\Delta r}_i| \cdot p_T^i}{p_T^j} \vec{\Delta r}_i$$

- Absence of **color** connection -  $\theta_p$  expected to be distributed uniformly
- **Color** connection -  $\theta_p$  expected to preferentially lie along jet connection vector  $\theta_p \sim 0$

# Jet Substructure



arXiv:1805.02935

- Jet pull angle preferentially  $\sim 0 \rightarrow$  color connections
- Color affects radiation patterns within jets

**Multidifferential observables are revealing the effects of color flow in  $p+p$  collisions**

## 1D vs. 3D Nonperturbative Functions

- There must be transverse structure due to the confined nature of the partons and the additional possibility of gluon radiation
- The unintegrated  $k_T$  distributions are explicitly dependent on transverse momentum

Parton Distribution Functions:  $f(x) \rightarrow f(x, k_T)$

Fragmentation Functions:  $D(z) \rightarrow D(z, j_T)$

$$\sigma = f_{q/h}(x, k_T, Q^2) \otimes \frac{d\hat{\sigma}}{dt} \otimes D_{q/h}(z, j_t, Q^2)$$

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$$\implies \Lambda_{QCD} \lesssim k_T \ll Q$$

$\implies$  Multi-scale observables necessary!

# Transverse-Momentum-Dependent Phenomenology

- In the collinear framework, nonperturbative functions are taken to be uncorrelated, universal, process independent functions
- In the transverse-momentum-dependent framework, it has been necessary to re-check these assumptions

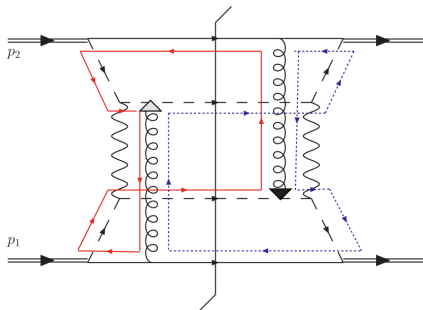


# Transverse-Momentum-Dependent Phenomenology

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- In the transverse-momentum-dependent framework, it has been necessary to re-check these assumptions
- What happens in leading-order QCD processes where a colored quark or gluon is exchanged at the hard interaction vertex?
- Color present in both the initial and final state - therefore soft gluon exchange possible in both the initial and final state

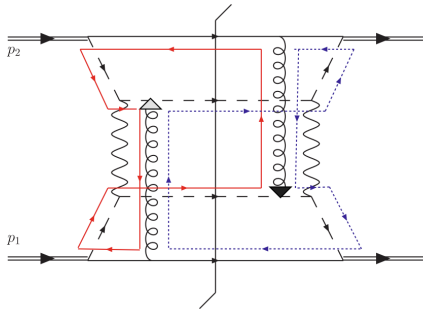
# Factorization Breaking of TMD Functions

- Factorization breaking predicted in a transverse-momentum-dependent (TMD) framework for  $p + p \rightarrow h_1 + h_2$  (PRD 81, 094006 (2010))
- TMD nonperturbative functions no longer defined - partons are quantum mechanically correlated via color across colliding hadrons!



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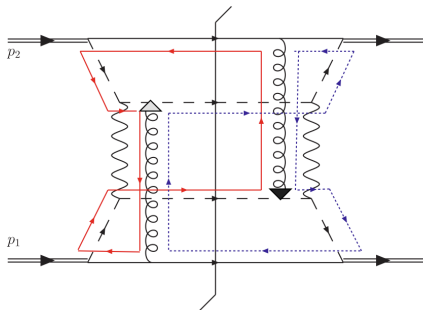
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↓

$$\sigma \stackrel{?}{=} CF(x_1, x_2, k_{T_1}, k_{T_2}, z_1, z_2, j_{T_1}, j_{T_2}) \otimes \frac{d\hat{\sigma}}{dt}$$

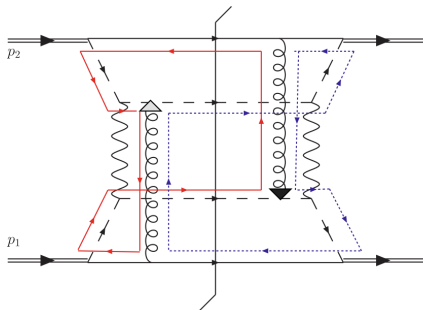
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- Results from soft gluon exchanges in both the initial and final state



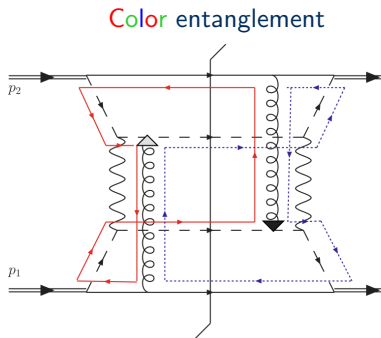
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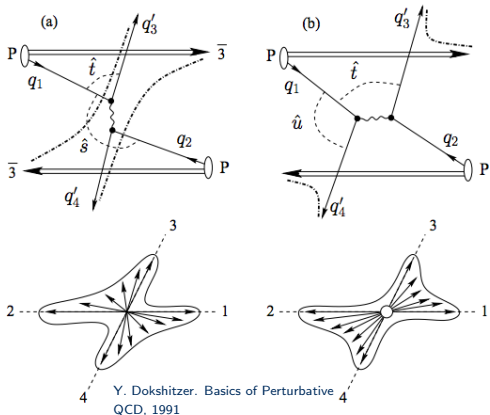
- Consequence of QCD as a non-Abelian gauge theory

# Color Entanglement and Color Coherence



PRD 81, 094006 (2010)

Color coherence

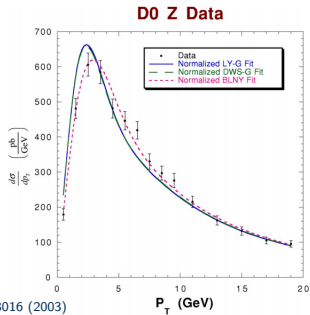
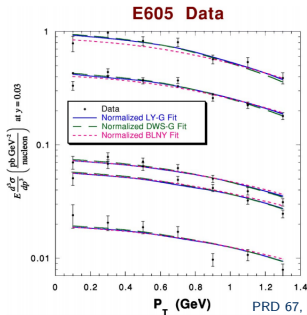


- The same underlying QCD phenomena at play - color leads to nonperturbative consequences

**How can we search for effects from TMD  
color entanglement?**

# Collins-Soper-Sterman (CSS) Evolution with $Q^2$

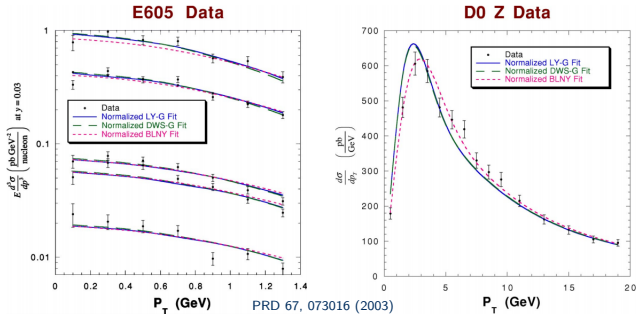
- CSS evolution first published in 1985. Similar to DGLAP evolution equation, but includes small transverse momentum scale
- Has been used to successfully describe global Drell-Yan and Tevatron  $Z^0$  cross sections





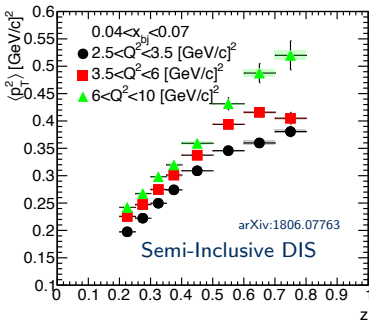
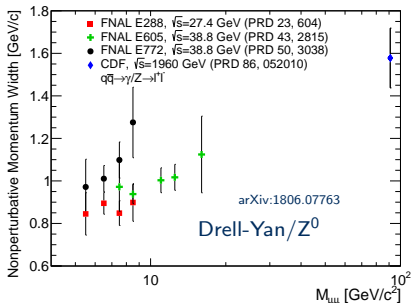
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- Has been used to successfully describe global Drell-Yan and Tevatron  $Z^0$  cross sections
- Clear qualitative prediction - momentum widths sensitive to nonperturbative transverse momentum increase with increasing hard scale
- Due to increased phase space for gluon radiation



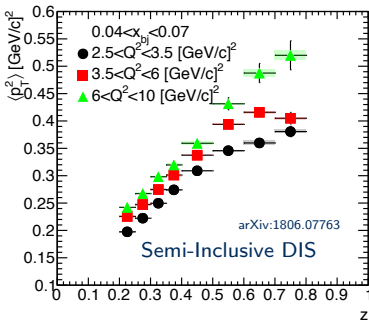
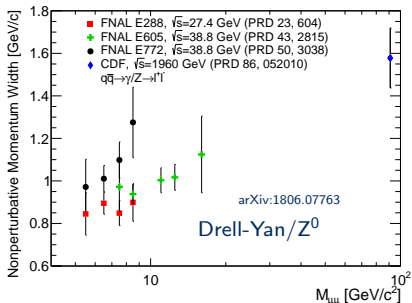
# Drell-Yan/Z and Semi-Inclusive DIS in CSS Evolution

- Phenomenological studies confirm that Drell-Yan and semi-inclusive DIS, where factorization is predicted to hold, follow theoretical prediction



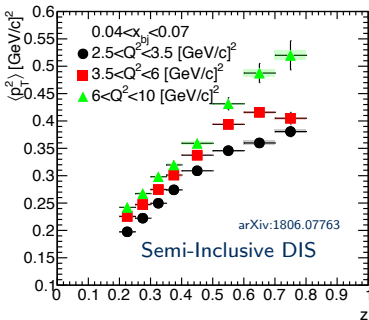
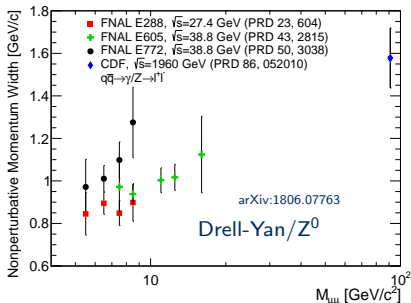
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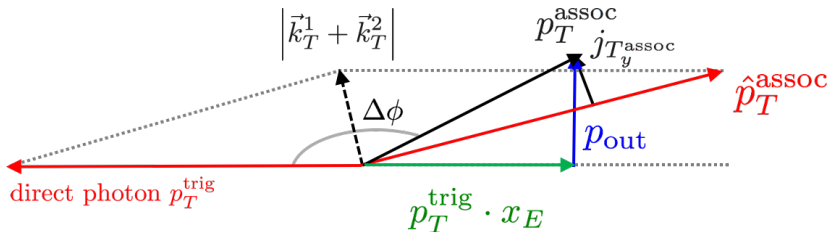


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- The evolution prediction comes directly out of the derivation for transverse-momentum-dependent (TMD) factorization
  - If TMD factorization, then CSS evolution. If not CSS evolution, then not TMD factorization!

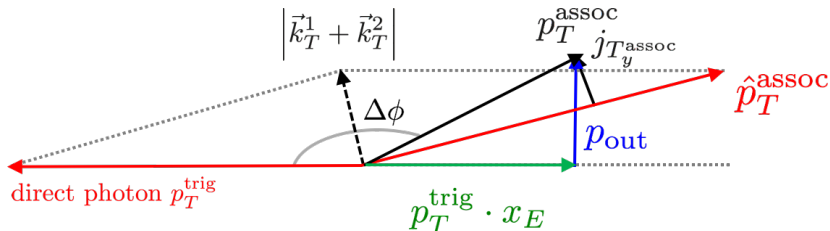


# Observables To Probe Entanglement



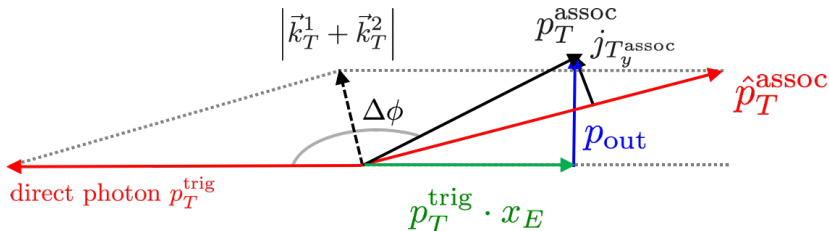
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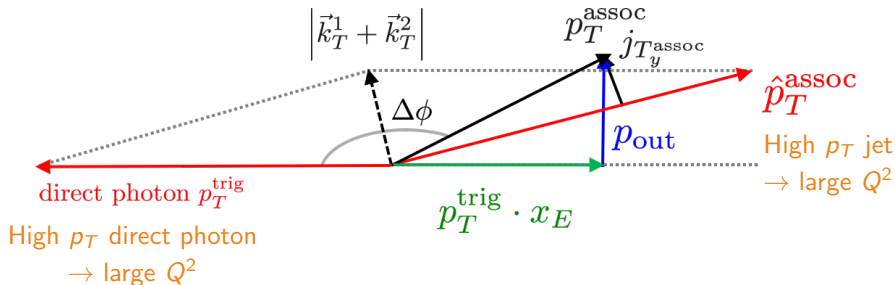
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  - Can use  $p + p \rightarrow \gamma + h^\pm + X$  or  $p + p \rightarrow h^\pm + h^\pm + X$

# Observables To Probe Entanglement



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- To probe transverse-momentum-dependent physics, an observable must be sensitive to two scales:  $\Lambda_{QCD} \lesssim k_T \ll Q$

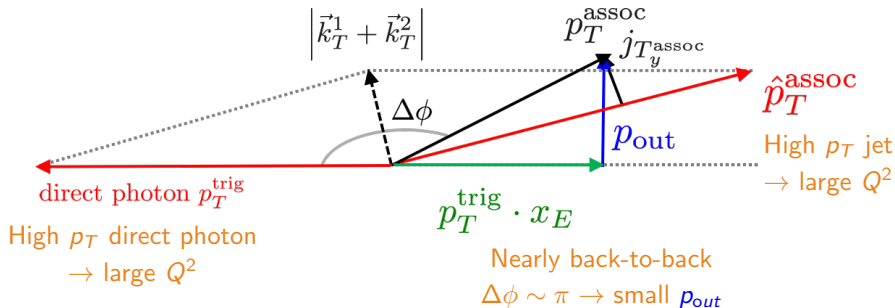
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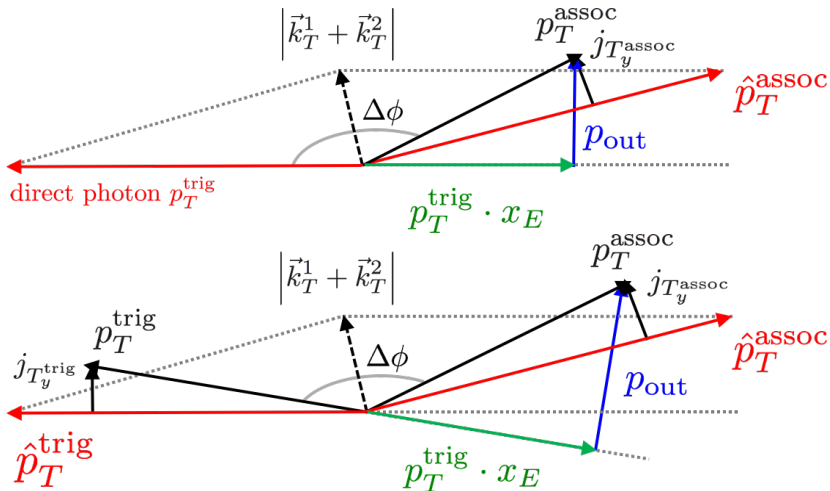


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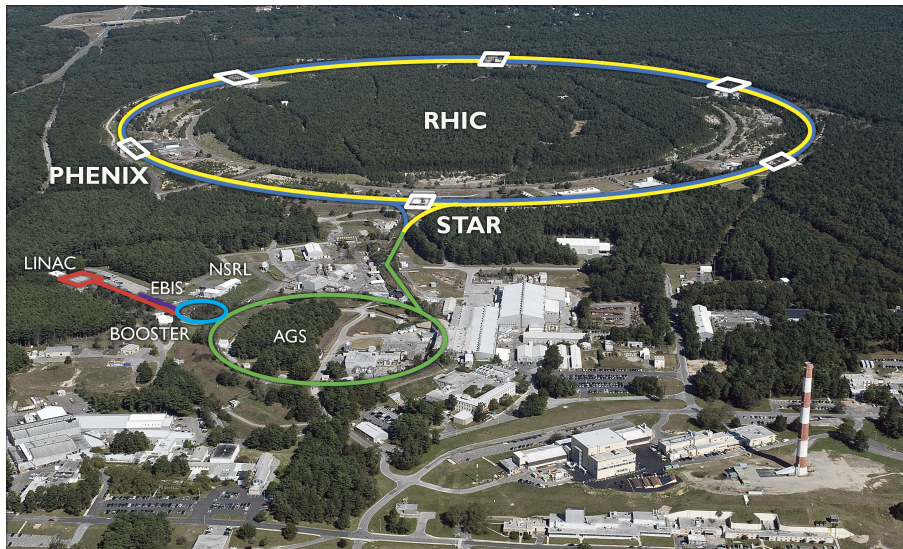


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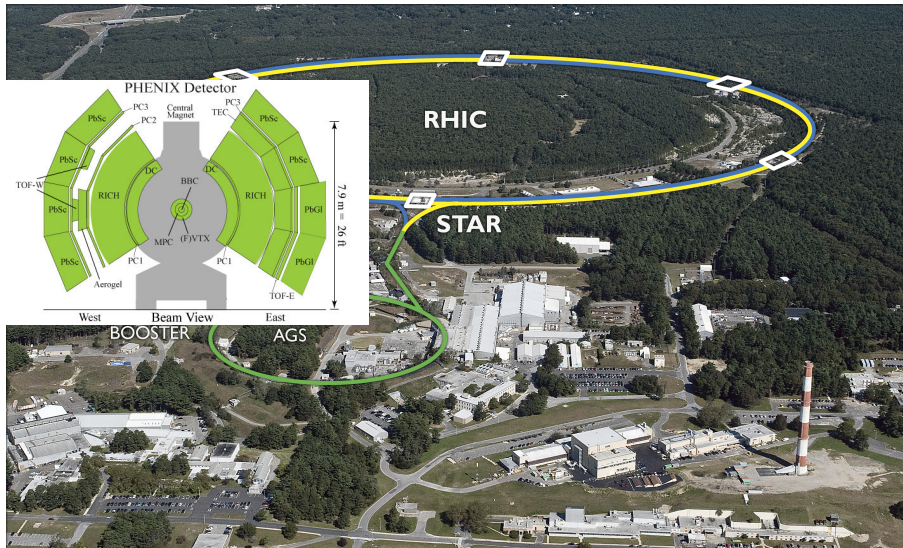
# Observables To Probe Entanglement



# Relativistic Heavy Ion Collider - RHIC at Brookhaven National Laboratory

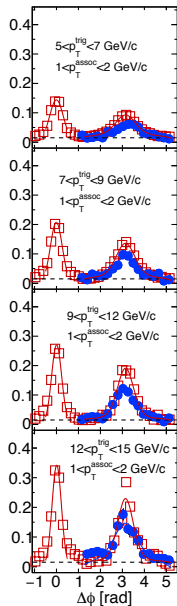


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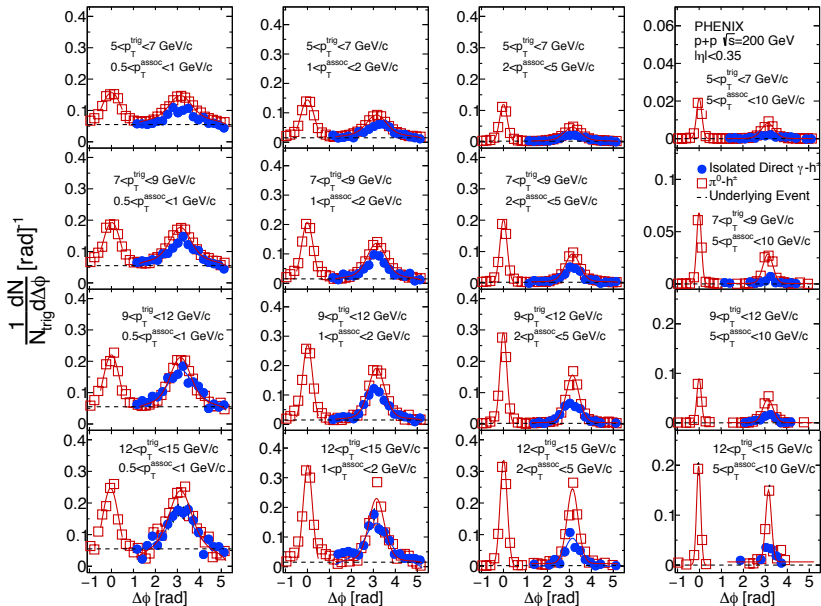


# $\Delta\phi$ Correlations for $\pi^0 - h^\pm$ and Direct $\gamma - h^\pm$

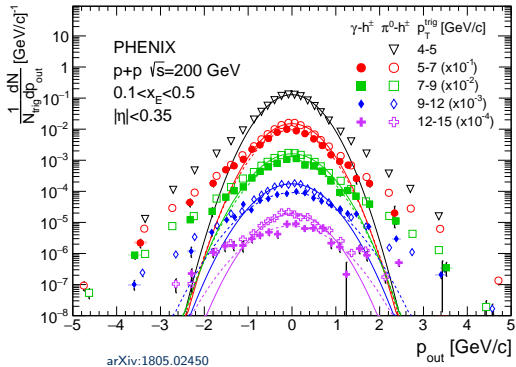
$$\frac{1}{N_{\text{trig}}} \frac{dN}{d\Delta\phi} [\text{rad}]^{-1}$$



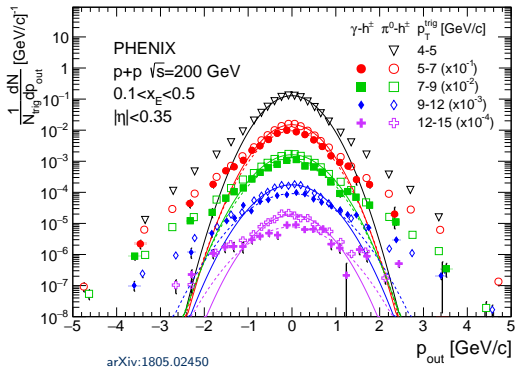
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# Measurements of $p_{out}$ Distributions in $p+p \rightarrow$ hadrons



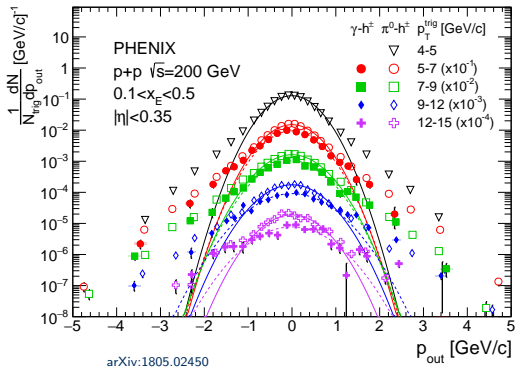
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- Two distinct regions:
  - Gaussian at small  $p_{out}$
  - Power law at large  $p_{out}$



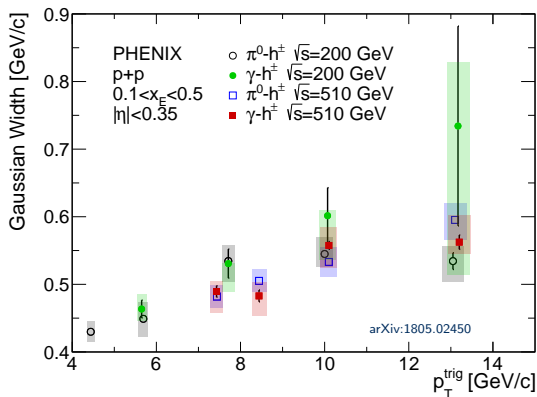
# Measurements of $p_{out}$ Distributions in $p+p \rightarrow$ hadrons



- Two distinct regions:
  - Gaussian at small  $p_{out}$
  - Power law at large  $p_{out}$
- Indicates TMD observable -  $\Lambda_{QCD} \lesssim p_{out} \ll p_T^{\text{trig}}$
- Can characterize any potential color effects by studying width evolution as a function of  $p_T^{\text{trig}}$

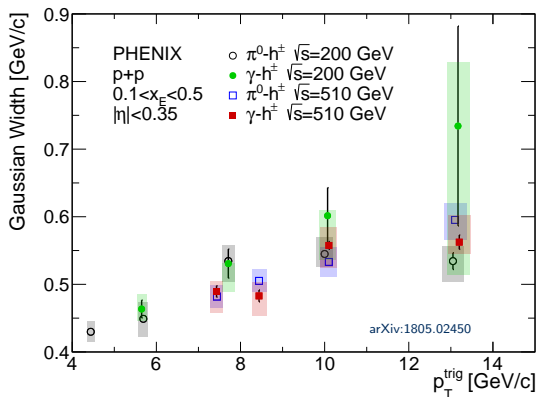
# Gaussian Width of $p_{out}$ Evolution in $p+p \rightarrow$ hadrons

- Away-side Gaussian widths shown as a function of  $p_T^{\text{trig}}$  at  $\sqrt{s} = 200$  and 510 GeV

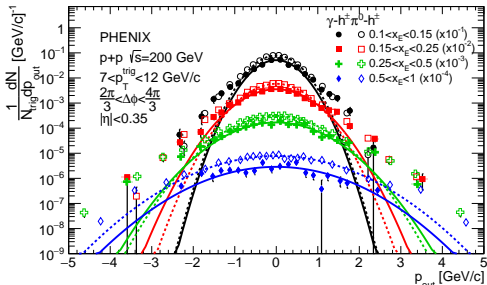
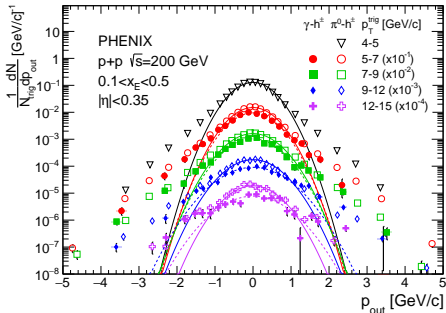


# Gaussian Width of $p_{out}$ Evolution in $p+p \rightarrow$ hadrons

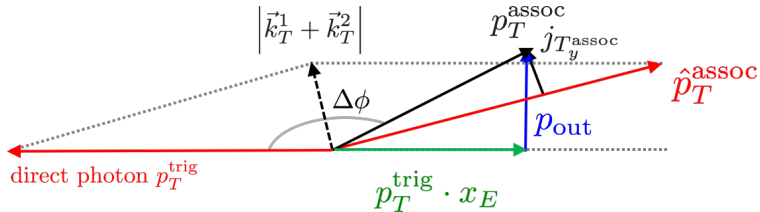
- Away-side Gaussian widths shown as a function of  $p_T^{\text{trig}}$  at  $\sqrt{s} = 200$  and 510 GeV
- Qualitatively similar behavior to Drell-Yan and semi-inclusive DIS interactions where **color** entanglement is not predicted



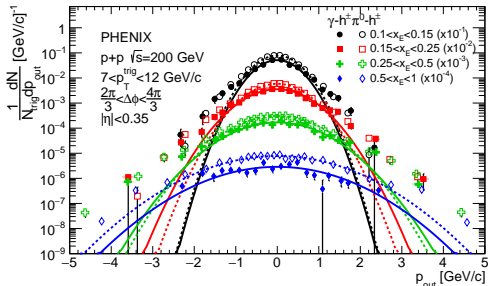
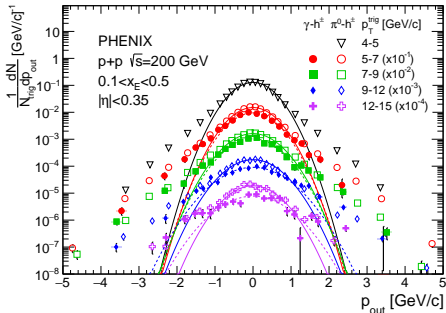
# Measurements of $p_{out}$ Distributions in $p+p \rightarrow$ hadrons



arXiv:1805.02450



# Measurements of $p_{out}$ Distributions in $p+p \rightarrow$ hadrons

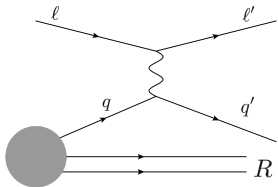
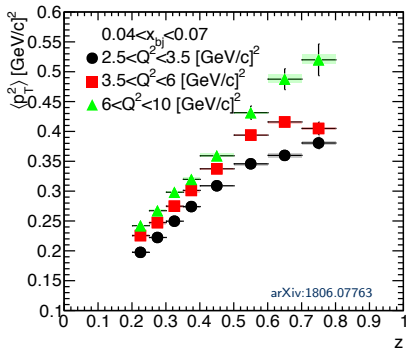


arXiv:1805.02450

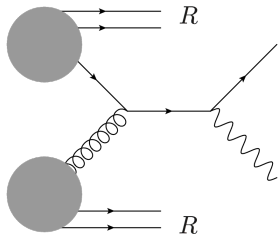
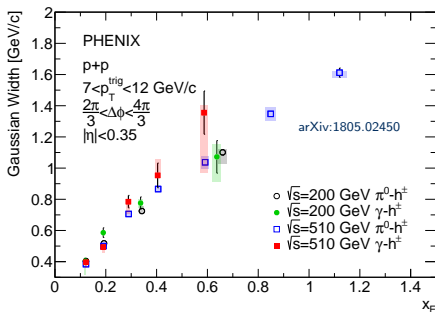
- Measure  $p_{out}$  as a function of  $p_T^{\text{trig}}$  or  $x_E$
- Multidifferential precision QCD measurements!

# Comparing SIDIS and $p+p \rightarrow \text{hadrons}$

## SIDIS

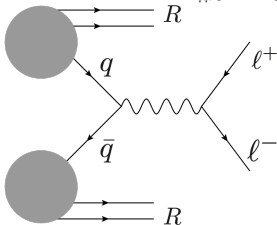
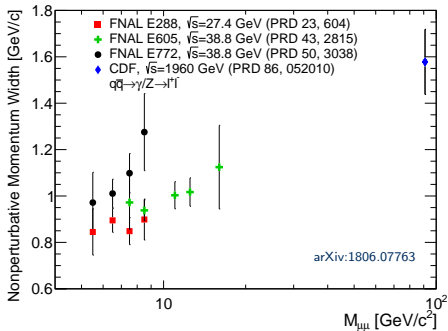


## $p+p \rightarrow \text{hadrons}$

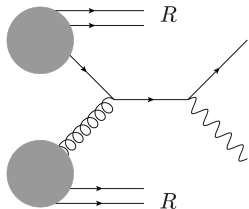
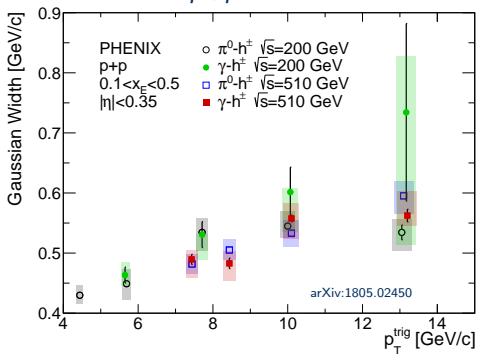


# Comparing Drell-Yan and $p+p \rightarrow \text{hadrons}$

## Drell-Yan

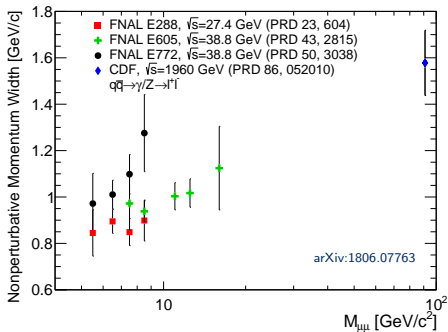


## $p+p \rightarrow \text{hadrons}$

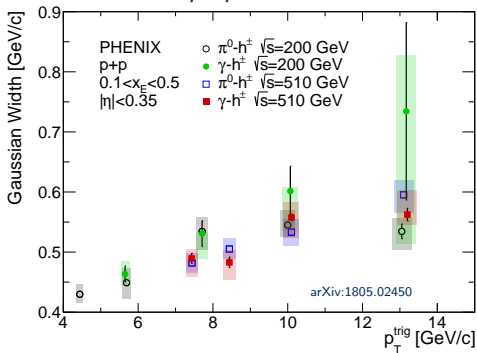


# Comparing Drell-Yan and $p+p \rightarrow \text{hadrons}$

## Drell-Yan



## $p+p \rightarrow \text{hadrons}$



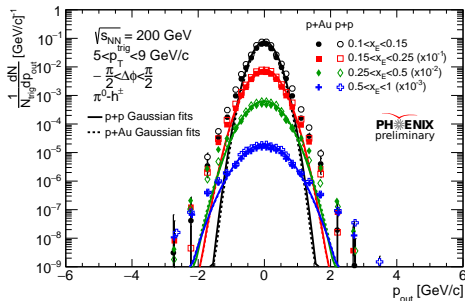
- Since qualitative behavior is similar, calculations needed to compare transverse-momentum-dependent evolution rates in different processes
- Drell-Yan/SIDIS (no color entanglement predicted) and  $p+p \rightarrow \text{hadrons}$  (color entanglement predicted) may exhibit different magnitudes, evolution rates, etc.



**What about proton-nucleus collisions, where there can be more QCD interactions?**

# Extending Color Studies to $p+A$

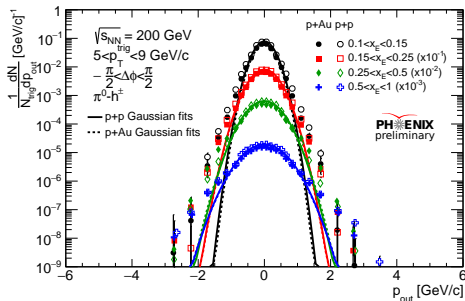
- Dihadrons give additional QCD interactions in  $p+A$  collisions compared to direct photon-hadrons
- Measure the  $p_{out}$  distributions on both the near-side and away-side in  $p+p$  and  $p+A$  to compare



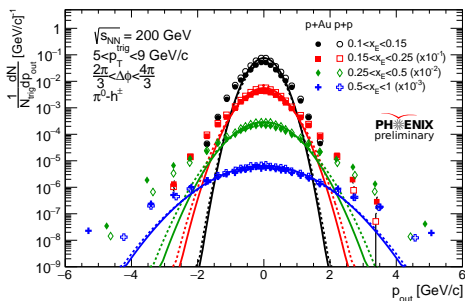
Near-side

# Extending Color Studies to $p+A$

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Near-side

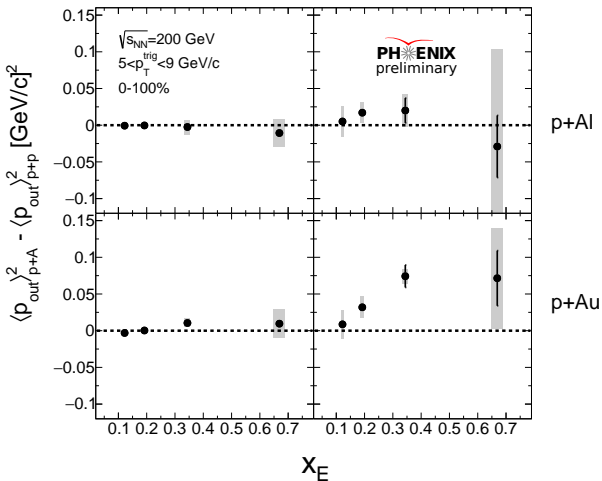


Far-side

# Nonperturbative Transverse Momentum Broadening in $p+A$

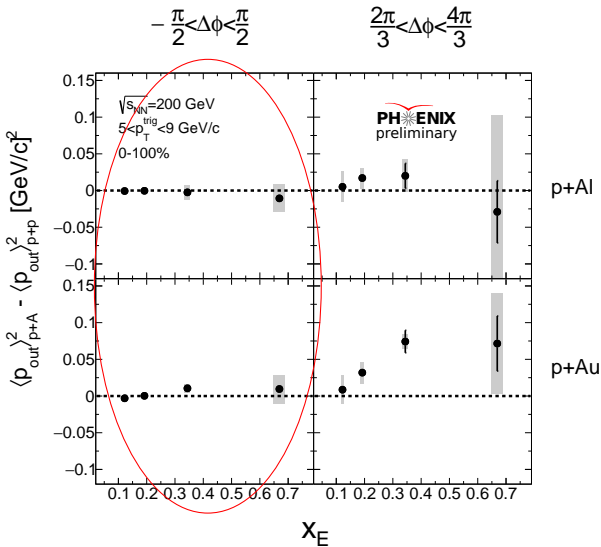
$$-\frac{\pi}{2} < \Delta\phi < \frac{\pi}{2}$$

$$\frac{2\pi}{3} < \Delta\phi < \frac{4\pi}{3}$$



- Measure squared Gaussian width in  $p+A$  minus  $p+p$

# Nonperturbative Transverse Momentum Broadening in $p+A$

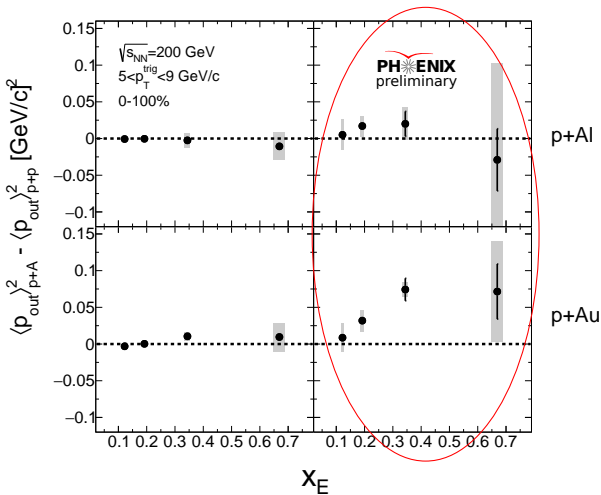


- Measure squared Gaussian width in  $p+A$  minus  $p+p$
- No significant near-side transverse momentum broadening

# Nonperturbative Transverse Momentum Broadening in $p+A$

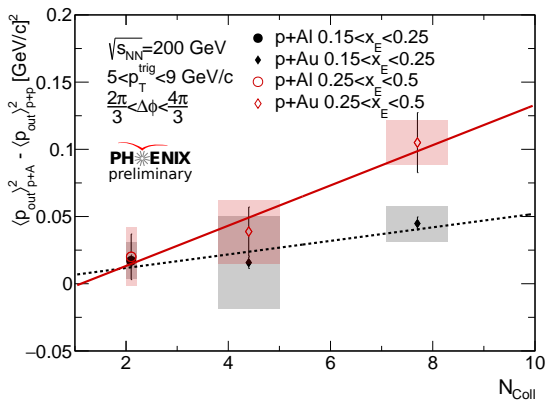
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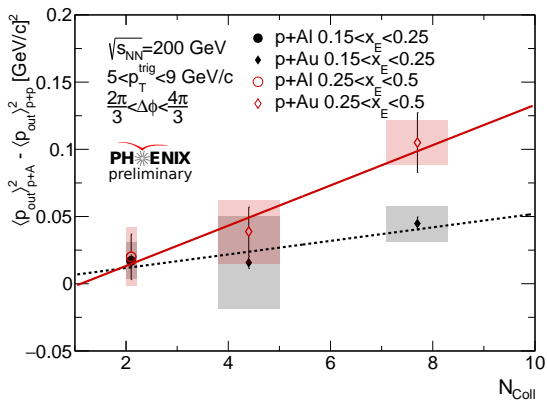
- Measure squared Gaussian width in  $p+A$  minus  $p+p$
- No significant near-side transverse momentum broadening
- Nonzero away-side nonperturbative transverse momentum broadening in  $p+A$

# Broadening as a Function of $N_{coll}$



- Measure away-side transverse momentum broadening as a function of  $N_{coll} \approx$  proxy for path length

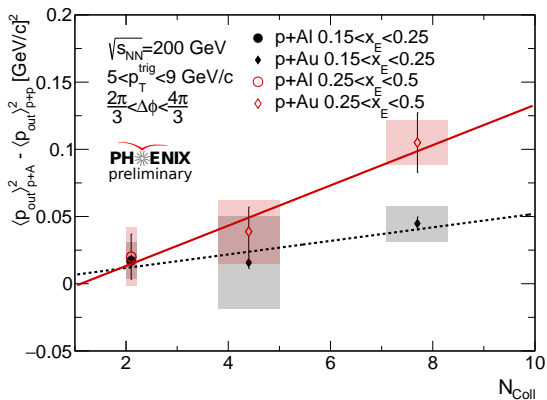
# Broadening as a Function of $N_{coll}$



- Measure away-side transverse momentum broadening as a function of  $N_{coll} \approx$  proxy for path length
- Physical effects that contribute?
  - Stronger color fields in nucleus?

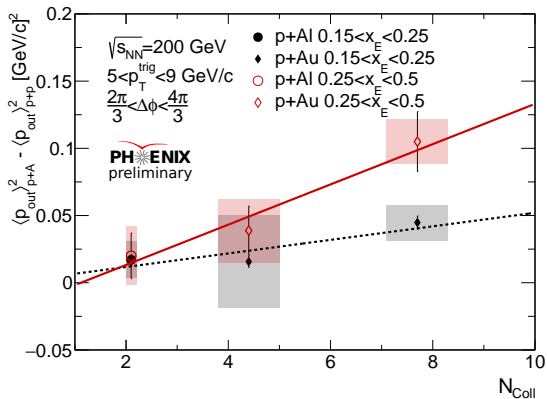


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- Measure away-side transverse momentum broadening as a function of  $N_{coll} \approx$  proxy for path length
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  - Additional initial-state  $k_T$  in nucleus?
  - Energy loss in  $p+A$ ?
  - ...

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  - Stronger color fields in nucleus?
  - Additional initial-state  $k_T$  in nucleus?
  - Energy loss in  $p+A$ ?
  - ...

- To be submitted for publication soon, stay tuned!

# Future Color Entanglement Measurements

- Color entanglement interactions require color in the initial and final states
- Crucial to make measurements at RHIC and LHC for interpreting future Electron-Ion Collider data!



# Future Color Entanglement Measurements

- Color entanglement interactions require color in the initial and final states
- Crucial to make measurements at RHIC and LHC for interpreting future Electron-Ion Collider data!
- Golden channel:  $\gamma/Z^0$ -jet  $\rightarrow$  parton dynamics can be determined at leading order
- Need high  $p_T$  processes which still have sensitivity to the nonperturbative physics



# Conclusions

- Color is an integral part of QCD, but new observables and phenomenological calculations are just now exploring its consequences!

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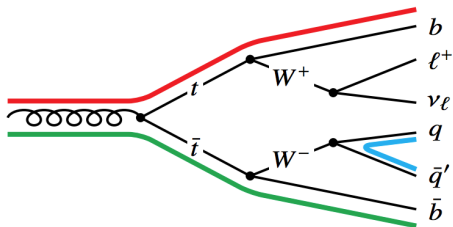
# Conclusions

- **Color** is an integral part of QCD, but new observables and phenomenological calculations are just now exploring its consequences!
- New measurements in  $p+p \rightarrow$  hadrons sensitive to **color** effects can be compared to detailed calculations in  $e+p \rightarrow e+h$ ,  $p+p \rightarrow \ell^+\ell^-$  to learn about QCD factorization breaking
- Dihadron correlations in  $p+A$  collisions exhibit path length dependence, sensitive to **color**, energy loss, and more
- Future measurements at sPHENIX and LHCb will continue to probe **color** effects
- Synthesizing information from many different collision systems is joining historically separate fields - it's all QCD!

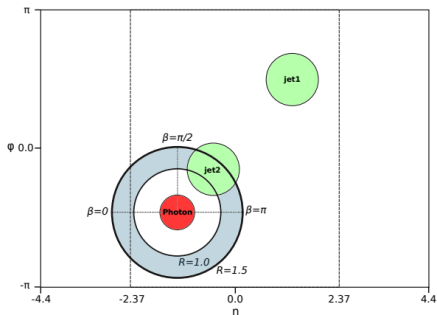
**Back up**

# $t\bar{t}$ Color Topology

- Example  $t\bar{t}$  color topology
- $t\bar{t}$  are color connected via gluon splitting
- Hadronizing quarks from  $W$  decays can also be color connected



# $\beta_\gamma$ Definition

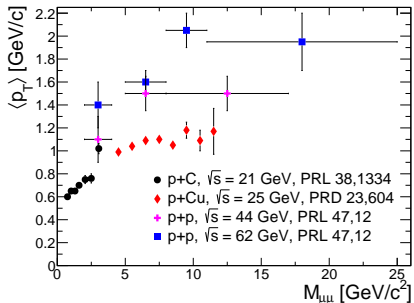
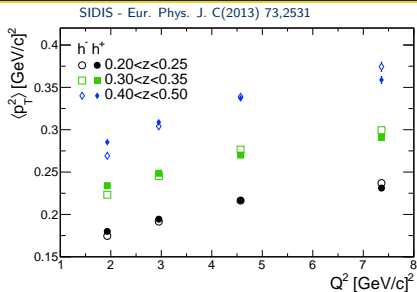


- ATLAS collaboration also measures  $\beta_\gamma$ , defined in a similar way to  $\beta_{jet}$

$$\beta_\gamma = \tan^{-1} \frac{|\phi^{jet2} - \phi^\gamma|}{\text{sign}(\eta^\gamma) \cdot (\eta^{jet2} - \eta^\gamma)}$$

# DY/Z and SIDIS in CSS Evolution

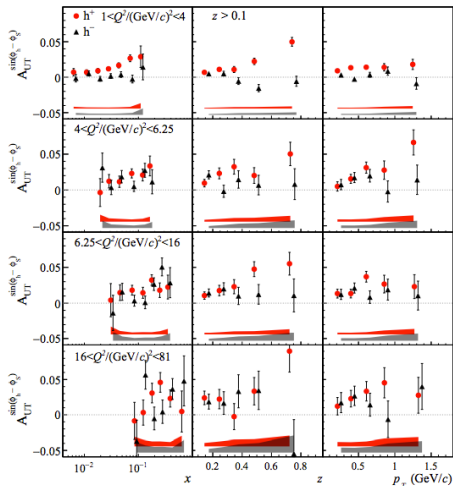
- Measurements show that DY and SIDIS follow prediction of CSS evolution
- The CSS evolution equation comes directly out of the derivation for TMD factorization



FNAL fixed target DY

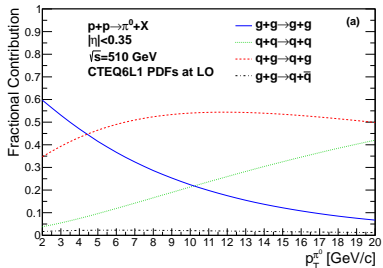
# SIDIS Sivvers Measurement

- SIDIS Sivvers measurement shows  $\sim 5\%$  asymmetries
- Smaller than the asymmetries measured in hadronic collisions
- SIDIS only sensitive to final-state effects from gluon exchanges

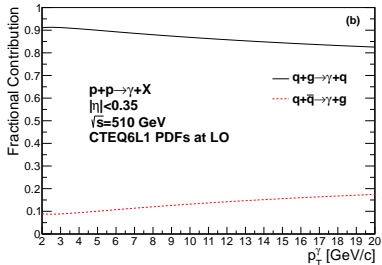


Phys. Lett. B770 (2017) 138-145

# Partonic Contributions to Processes at LO

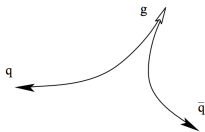


- $\pi^0$  contribution changes from gluon dominated at low  $p_T$  to mix of quark and gluons at high  $p_T$



- Direct photon contribution dominated by QCD Compton scattering at all  $p_T$
- NLO corrections small at midrapidity (Phys. Lett. B 140,87)

## More about Color Coherence



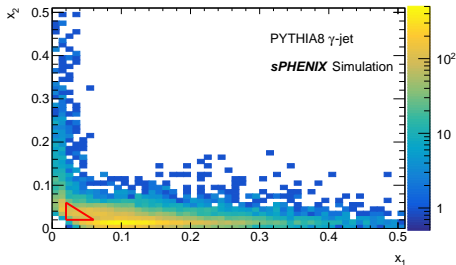
- Radiation “drags” color away from vertex
  - Destructive interference occurs away from emitted gluons
  - Soft radiation inhibited in certain areas
  - Leads to certain regions of phase space where gluons constructively or destructively interfere
- See the following references
    - Phys. Rev. D 50,5562 (1994)
    - Phys. Lett. B 414 (1997) 419-427
    - Dokshitzer, Yuri. *Basics of Perturbative QCD* (Editions Frontieres, 1991) Chapters 4,5,9



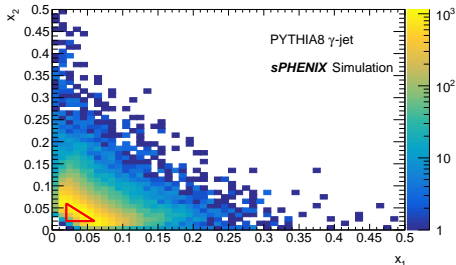
# Extending PHENIX Kinematic Reach

- Central-forward (top) and central-central (bottom)  $\gamma$ -jet  $x_1, x_2$  reach at  $\sqrt{s} = 510$  GeV. Red triangle indicates  $x_1$ - $x_2$  reach of PHENIX PRD 95, 072002 (2017)

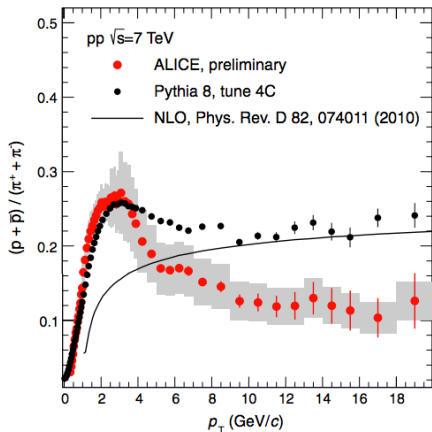
## Central-Forward $\gamma$ -jet



## Central-Central $\gamma$ -jet



# Color Leads to $v_2$ Fourier Harmonic in PYTHIA

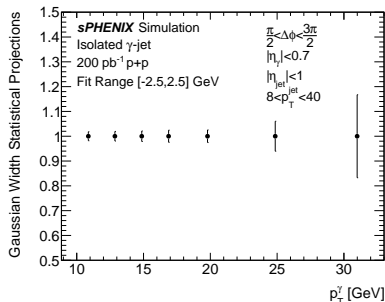
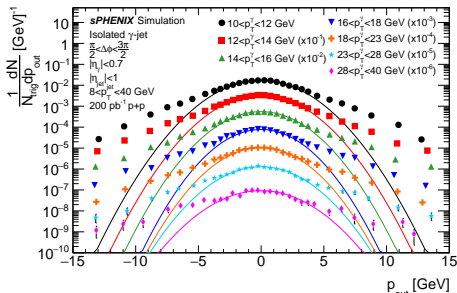


PRL 111, 042001 (2013)

- Color reconnection mechanisms within PYTHIA exhibit similar characteristics to measured Fourier harmonics in  $p+p$
- Can color coherence generate long range eta correlations and PID radial flow patterns?
- Multiple partonic interactions are necessarily color connected

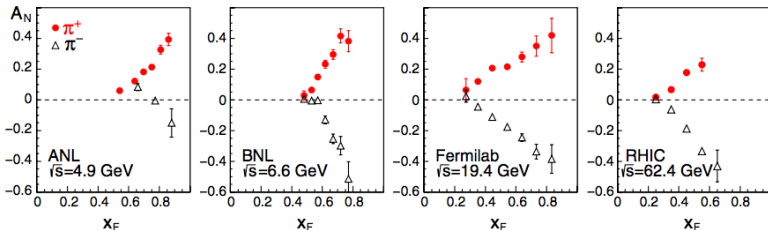
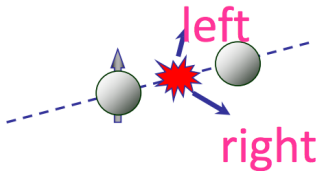
# Estimated $\gamma$ -jet Statistical Precision

- $\gamma$ -jet is the ideal channel - limits color flow possibilities with sensitivity to only  $k_T$
- RHIC kinematics important - need high  $p_T$  processes which still have sensitivity to the nonperturbative physics
- sPHENIX will have excellent statistical precision for  $\gamma$ -jet at RHIC *for the first time*
- Will extend PRD 95, 072002 (2017) to study  $x$  dependence as well as role of fragmentation with tracking capabilities



# Relation to Huge Transverse Single Spin Asymmetries?

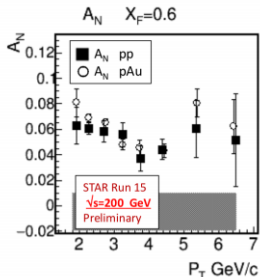
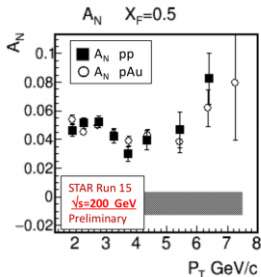
- Transverse single spin asymmetries show up to 40% left-right asymmetry in  $p+p$  collisions
- Only  $\sim 5\%$  in semi-inclusive DIS
- Effects from color contributing?



Rev. Mod. Phys. 85, 655 (2013)








# Relation to Huge Transverse Single Spin Asymmetries?

- Transverse single spin asymmetries are perturbatively predicted to go to 0 with increasing  $p_T$
- Nonzero ( $\sim 7\%$ ) asymmetries have been measured up to  $p_T \sim 7$  GeV
- Transverse single spin asymmetries seem to not follow perturbative evolution as well
- Do correlations follow expectation of magnitudes for perturbative evolution? Calculations necessary. . .



# Transverse-Momentum-Dependent PDF Zoo

Transverse-Momentum-Dependent (TMD) PDFs

N \ q	U	L	T
U			
L			
T			

N - Nucleon

q - Quark

U - Unpolarized

L - Longitudinally polarized

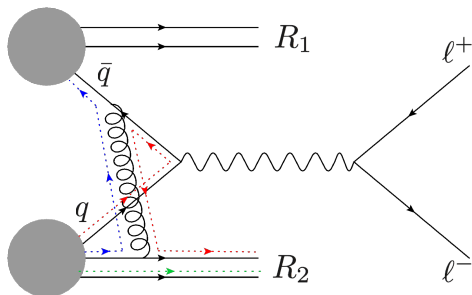
T - Transversely polarized

Image taken from Alexei Prokudin Spin 2016

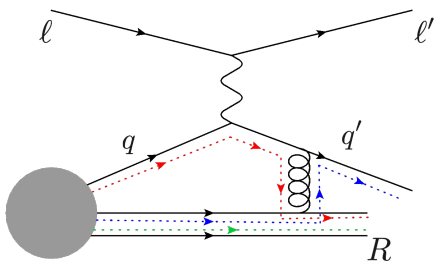
- 8 TMD PDFs describing transverse partonic structure, spin-spin, and spin-momentum *correlations!*

# Universality in Transverse-Momentum-Dependent Functions

Drell-Yan:  $q + \bar{q} \rightarrow \ell^+ + \ell^-$



Semi-Inclusive DIS:  $e^- + p \rightarrow e^- + h$

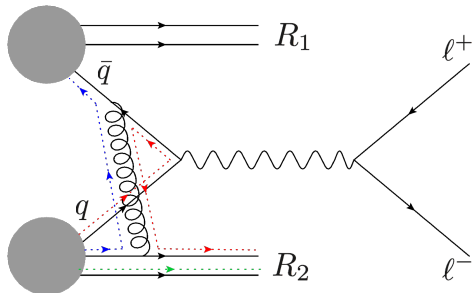


- Sign change in parity-time odd transverse-momentum-dependent PDFs predicted due to initial-state vs. final-state gluon exchange with proton remnants in different processes!

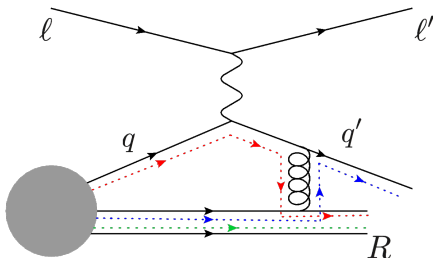
$$f_{1T}^\perp(x, k_T, Q^2)|_{\text{DY}} = -f_{1T}^\perp(x, k_T, Q^2)|_{\text{SIDIS}}$$

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Semi-Inclusive DIS:  $e^- + p \rightarrow e^- + h$

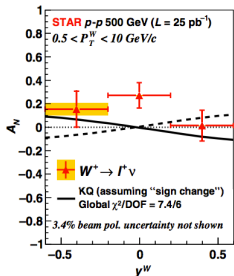


- Sign change in parity-time odd transverse-momentum-dependent PDFs predicted due to initial-state vs. final-state gluon exchange with proton remnants in different processes!
- Factorization of transverse-momentum-dependent PDFs and fragmentation functions still predicted to hold in these QED processes

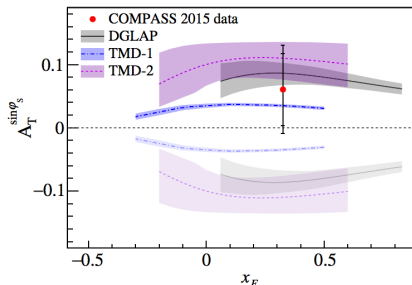
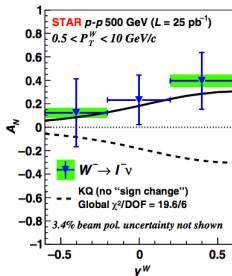


# First Measurement of Possible Modified Universality

- Semi-inclusive DIS Sivers asymmetries have been measured, e.g. by HERMES and COMPASS collaborations
- First measurements of Drell-Yan (type) processes just recently reported
- Data support prediction of process dependent transverse-momentum-dependent PDF (although still statistically limited)



PRL 116, 132301(2016)



PRL 119, 112002 (2017)